

# HELIUM REFRIGERATION CONSIDERATIONS FOR CRYOMODULE DESIGN



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- **ADS is presently based on SRF cavities operating at 2-K, which requires specialized helium refrigeration systems**
  - **They are cost intensive to produce and to operate.**
- **Some basic concepts and ideas for Cryomodule design to minimize the input power to the refrigeration system are discussed here**

# Issues for Thought

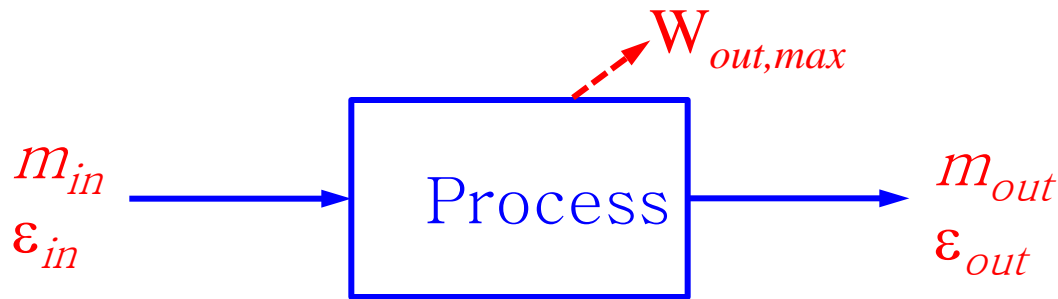
- **Cost of Energy**
  - Could ignore inefficiencies in the past, but not anymore!
- **Accumulation of system inefficiencies, due to,**
  - **Scaling up of the systems**
    - A culture of duplication and scaling
      - (i.e., *'give me another one of those but larger'*)
    - **Inefficiencies of the earlier designs were scaled too!**
  - **Sub-systems mismatch**
    - **Boundaries between the sub systems**
      - CM, Distribution, Refrigeration system
    - **What are the correct shield temperatures and their match to the refrigerator design**
  - **Lack of component development for 2K applications**
    - **Connection designs between the sub systems; e.g., bayonets & valves**
    - **Efficient sub-atmospheric compression systems**

# Outline

- **Performance definitions**
- **“Quality” of energy**
- **Thermal shields & intercepts**
- **Helium properties below 4.5-K**
- **2-K Refrigeration process**
- **2-K Process improvements**
- **Cryomodule design**
- **Cryomodule production**
- **JLab helium distribution system**
- **SNS helium distribution system**
- **Generalized distribution system**
- **Conclusions**

# Performance Definitions

- (Physical) exergy per unit mass is defined as,  
$$\varepsilon = h - T_0 \cdot s$$
  - where,  $T_0$  is the reference temperature; i.e., environmental temperature; say, 300 K
  - exergy ( $\varepsilon$ ) is an intrinsic fluid property (...like  $h$  and  $s$ )
- The minimum input power theoretically required; or conversely, the maximum power output theoretically possible is,  
$$\Delta E = W_{out,max} = -W_{in,min} = \sum m_{in} \cdot \varepsilon_{in} - \sum m_{out} \cdot \varepsilon_{out}$$
  - also, known as the reversible (input or output) power



# Performance Definitions

- *Exegetic efficiency:*

$$\eta_C = \Delta E / W_{in}$$

Where,  $W_{in}$  is the actual (real) required input power

- A measure of process performance is the ratio of the input power required (either ideal or real) to the cooling provided [**Watts / Watt**];
  - *This is known as the inverse coefficient of performance*

Ideal (theoretical),  $\text{COP}_{inv,i} = \Delta E / q_L$

Real,  $\text{COP}_{inv,r} = W_{in} / q_L$

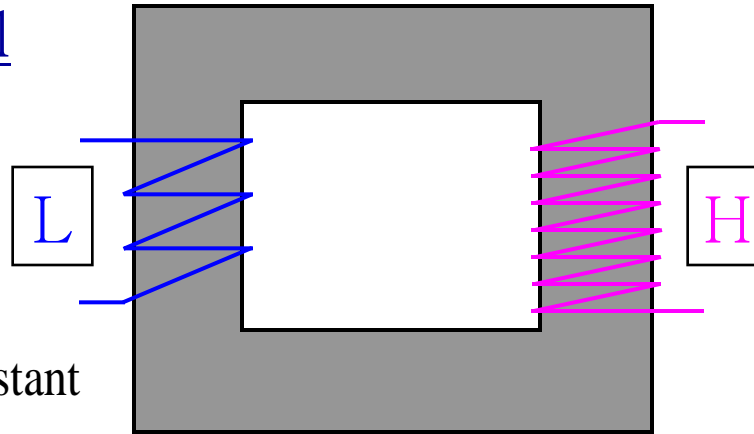
Where,  $q_L$  is the cooling (load) provided

# Quality of Energy

## Ideal Electrical Transformer

$$\frac{V_H}{V_L} = \frac{I_L}{I_H}$$

$$P = V_H \cdot I_H = V_L \cdot I_L = \text{constant}$$



## Ideal 'Thermal' Transformer

$$\frac{T_H}{T_L} = \frac{Q_H}{Q_L}$$

$$S = \frac{Q_H}{T_H} = \frac{Q_L}{T_L} = \text{constant}$$

- A thermal transformer that permits the heat energy transfer from cold temperature to hot temperature, with no input work **does not exist**.
- This 'transmission' (or transfer) limitation of heat energy between temperatures implies that there is a **'quality'** for **heat energy**.
- The **source** and **sink** temperatures sets this limit on the conversion **'quality'** for the **heat energy**.

# Quality of Energy (Cont.)

## Clausius (In)equality (the 2<sup>nd</sup> Law of Thermodynamics)

$$\frac{Q_L}{T_L} = \frac{Q_H}{T_H}$$

*This equation is a statement of thermal energy quality equivalence*

For example,

$$\frac{300\text{W}}{300\text{K}} = \frac{4\text{W}}{4\text{K}} = \frac{2\text{W}}{2\text{K}}$$

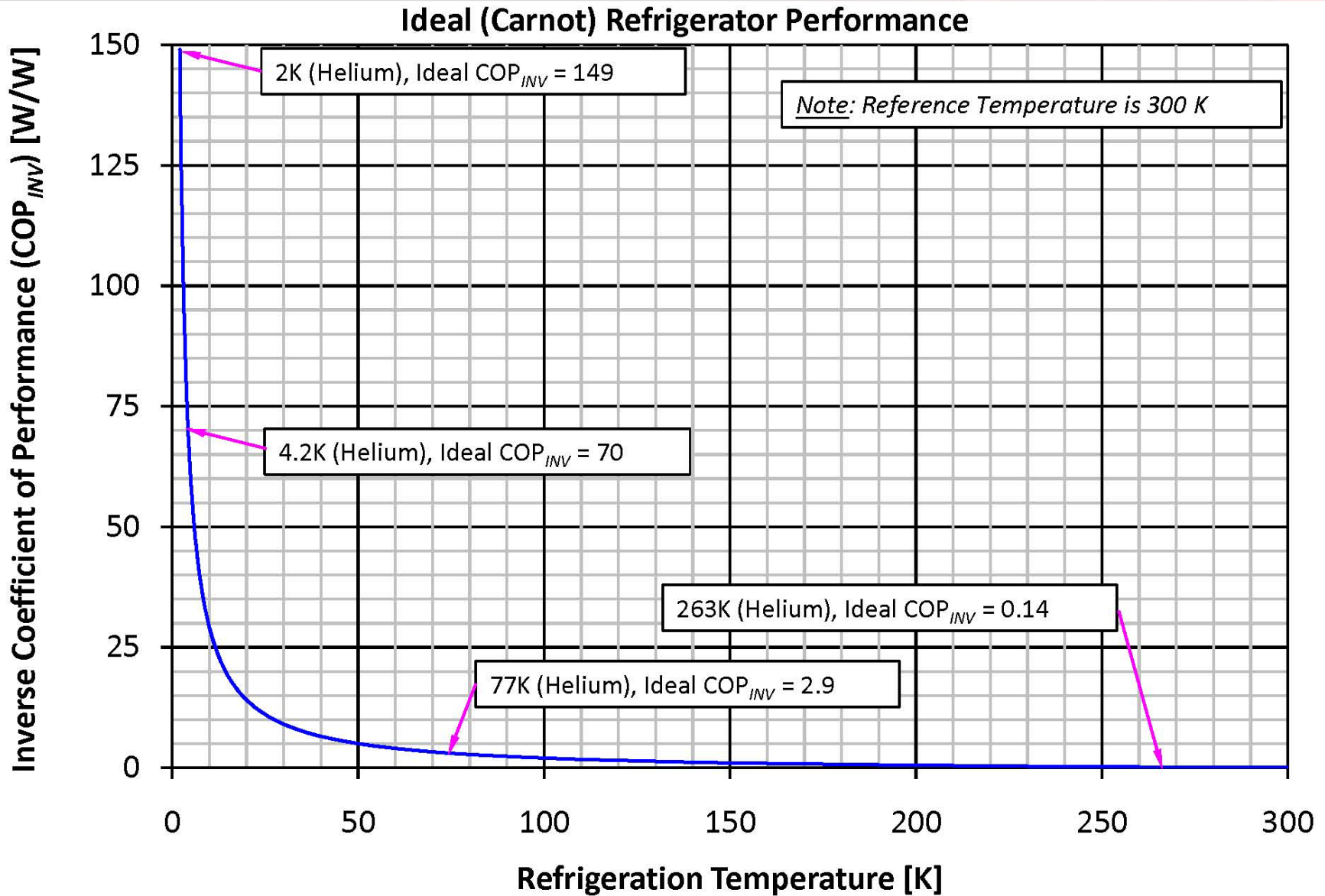
Or,  $Q_L = 1\text{W}$  at  $T_L = 4.22\text{ K}$  is *equivalent in quality* as

$$Q_H = 70\text{ W} \text{ at } T_H = 300\text{K}$$

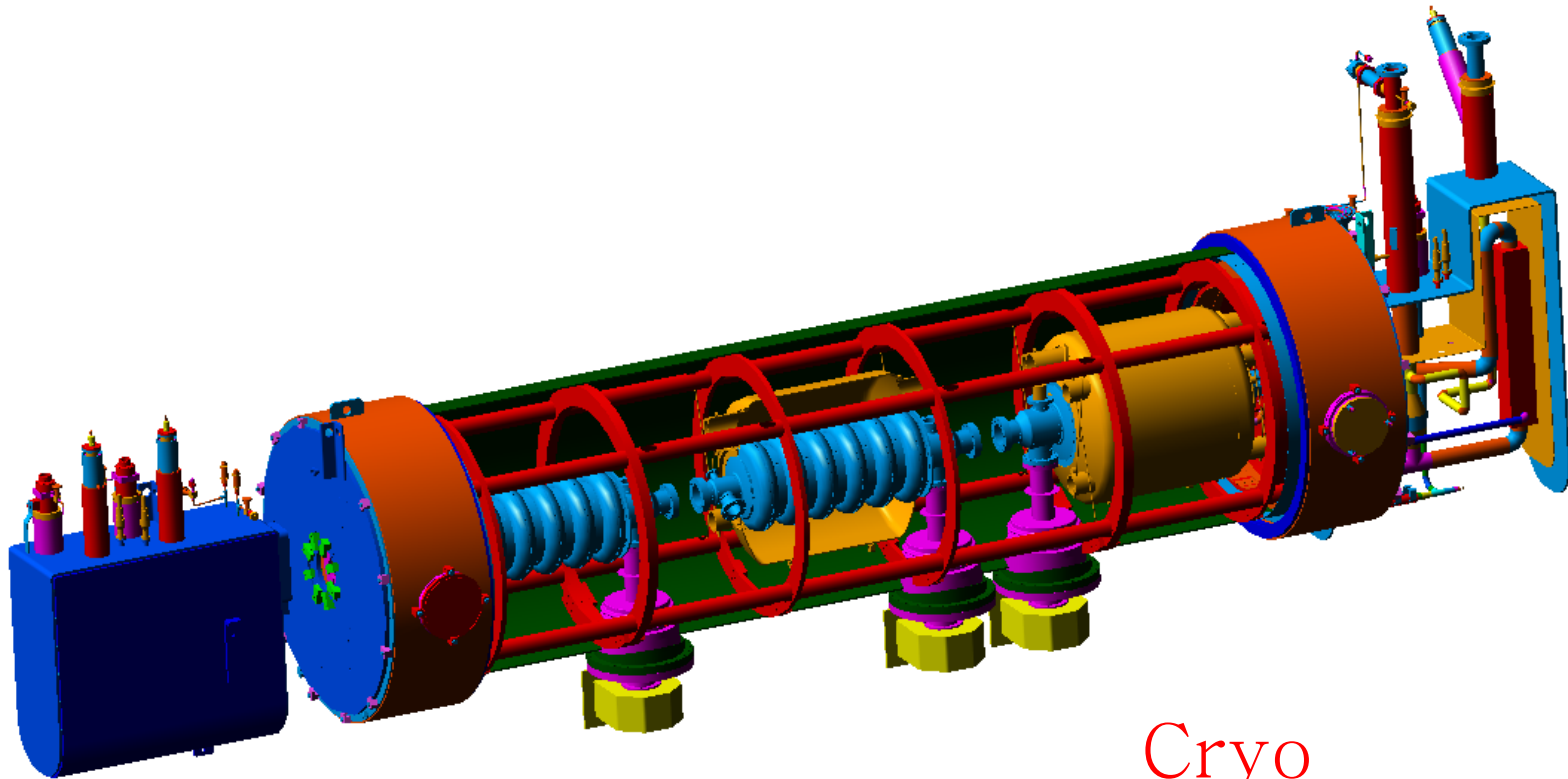
*So, the heat leak into a 2K transfer-line is 'worth' (equivalent to) over 2 times the heat leak into a 4.5K transfer-line!*



# Quality of Energy (Cont.)



# Cryomodule

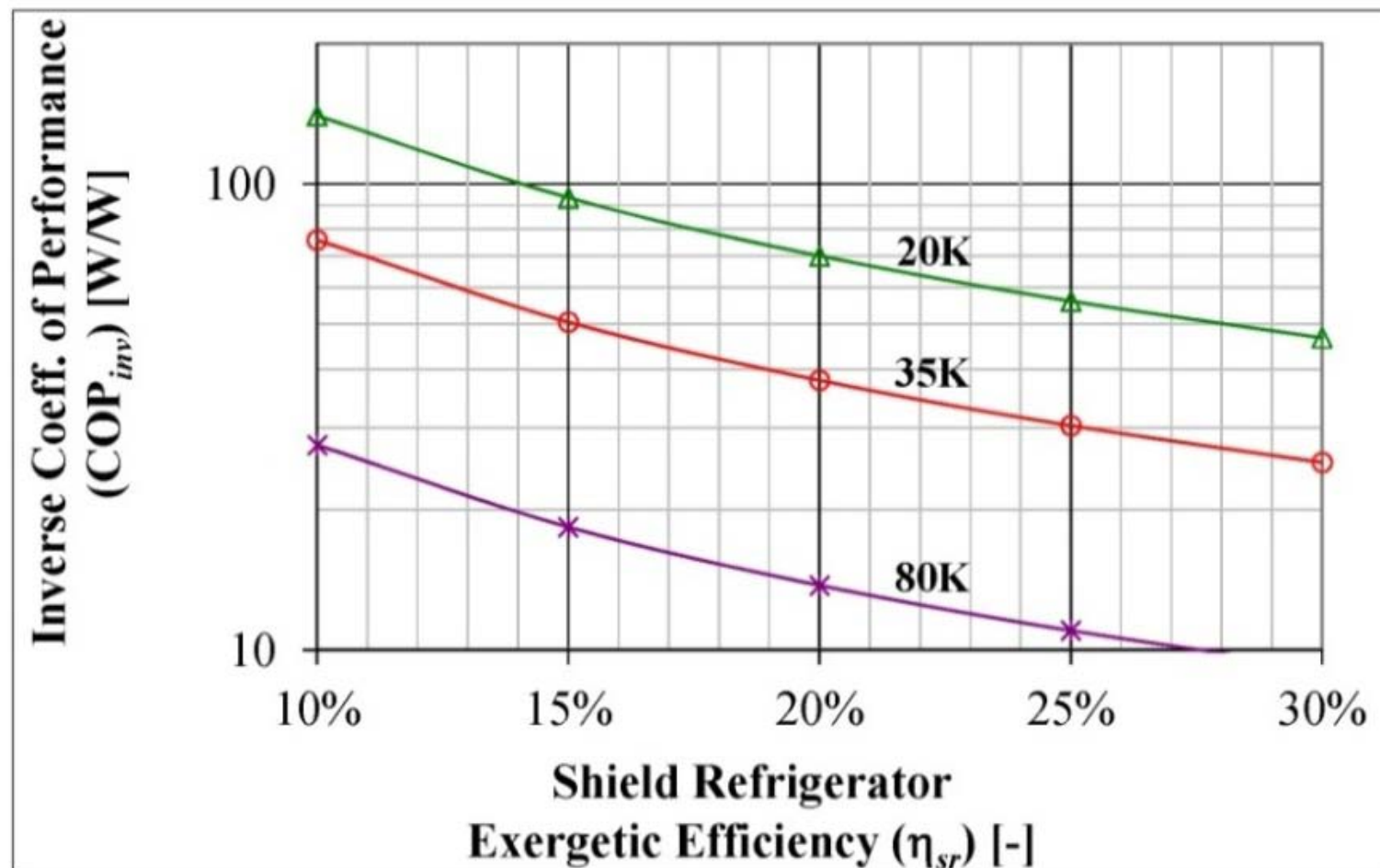


Cryo  
Module

# Thermal Shields & Intercepts

- Radiation shields are used to reduce the static heat input to the load and supply to the load
  - LN is used where possible
- Ideal shield temperatures depends on
  - Amount of MLI (# layers, residual gas pressure, layer density, installation practices!)
  - Conduction path (material, ratio of cross-sectional area to length)
  - Exergetic efficiency of refrigeration at a given shield temperature
  - Number of shields
  - Load (coldest) temperature
- For single shields, it is,
  - ~40K for 4.5-K loads
  - ~20K for 2-K loads;  $\text{COP}_{inv,2K} \approx (0.67) \cdot \text{COP}_{inv,4.5-K}$
  - Note: if  $\text{COP}_{inv,2K} \approx \text{COP}_{inv,4.5-K}$ , then it would be ~30K for 2-K loads

# Thermal Shields & Intercepts



## Shield Refrigerator Performance

# Thermal Shields & Intercepts

- Optimum shield temperatures can be determined using empirical and analytical modeling

*Nomenclature:*

$q_{i,i+1} = R(T_i, T_{i+1}) \cdot \{f(T_i) - f(T_{i+1})\}$	Heat transfer from node 'i' to 'i+1'
$R_{i,i+1}(T_i, T_{i+1})$	Thermal resistance between node 'i' and 'i+1'
$f(T_i)$	Function of temperature $T_i$
$q_i = q_{i-1,i} - q_{i,i+1}$	Heat load at temperature $T_i$
$W_i = q_i \cdot \beta_i / \eta_i$	Refrigeration power required for $q_i$
$\beta_i = (T_0 - T_i) / T_i$	Ideal inverse coefficient of performance
$\eta_i$	Refrigeration exergetic efficiency

**Minimize,  $W_{tot}(T_1, T_2, \dots, T_{N-1}) = \sum W_i$**

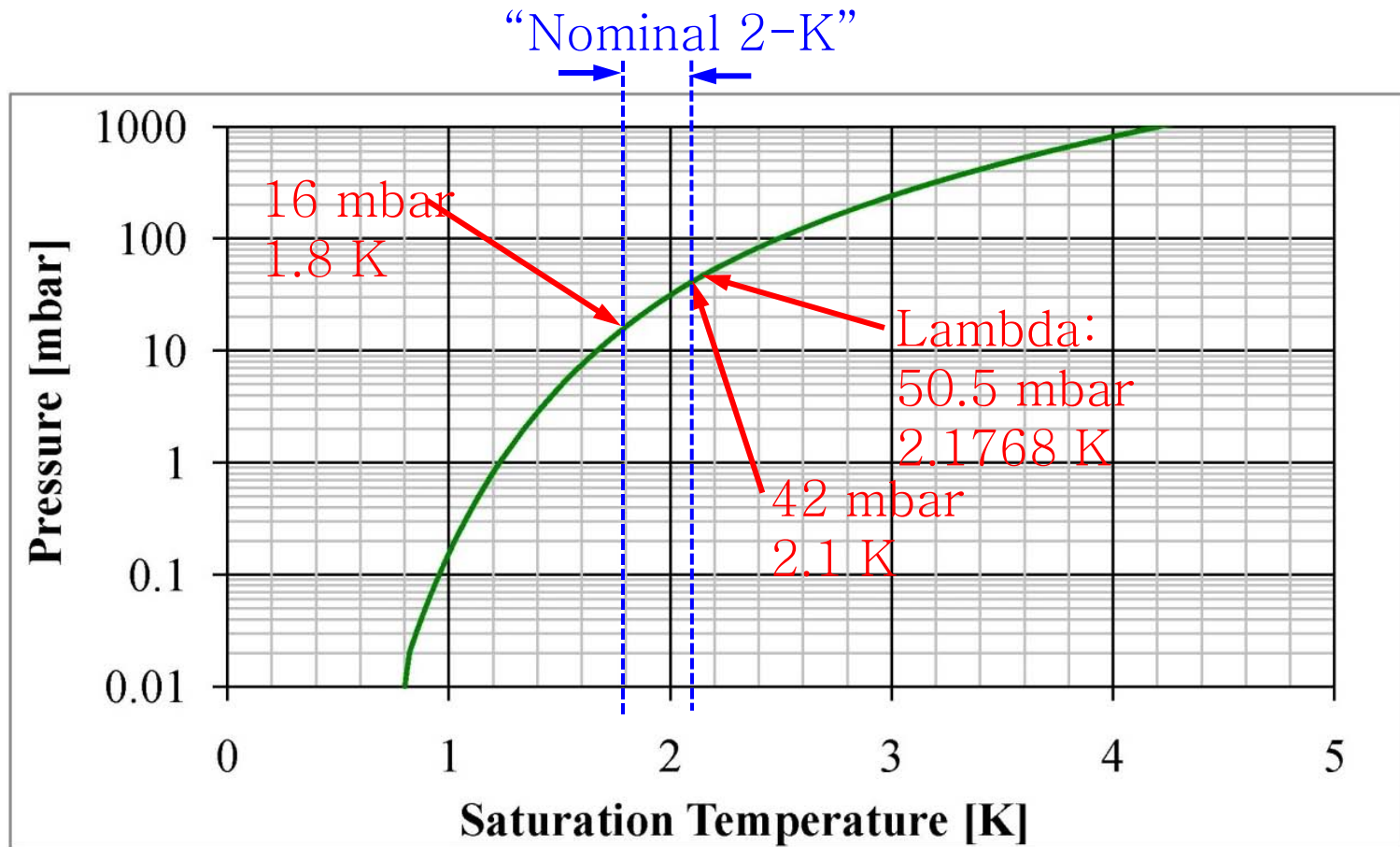
Note:

For conduction:  $R_{i,i+1} = A_c / L$ ,  $f(T_i) = K(T_i) = \int k(T) \cdot dT$

For MLI: Spacer,  $f(T_i) \sim T_i$ ; Radiation,  $f(T_i) \sim T_i^4$ ; Gas Conduction ( $N_2$  residual gas),  $f(T_i) \sim T_i^{1/2}$

(Ref. C.W. Keller, G.R. Cunnington, A.P. Glassford, "Final Report – Thermal Performance of Multilayer Insulations, NASA CR-134477, April 1974)

# Helium Properties: Saturation P vs. T

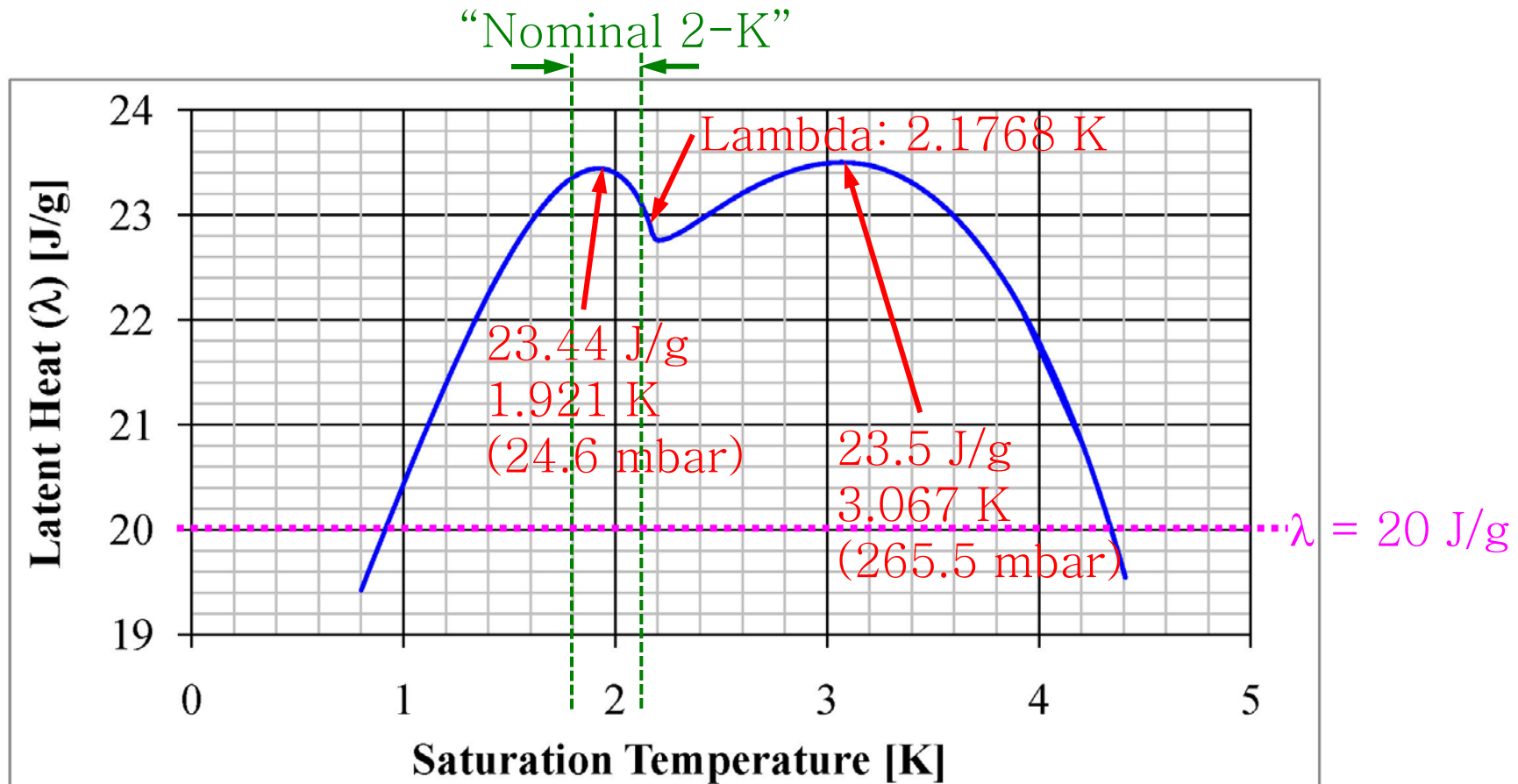


*Note: logarithmic scale for pressure; also, vapor density behavior is similar.*

*This has a dramatic effect on equipment size (to process the sub-atm flow)!*

# Helium Prop: Latent Heat of Vaporization

- To date we accept  $\lambda \approx 20 \text{ J/g}$  as the useful latent heat for most of the super-conducting applications; this leaves behind up to  $\sim 17\%$  of un-utilized latent heat potential!

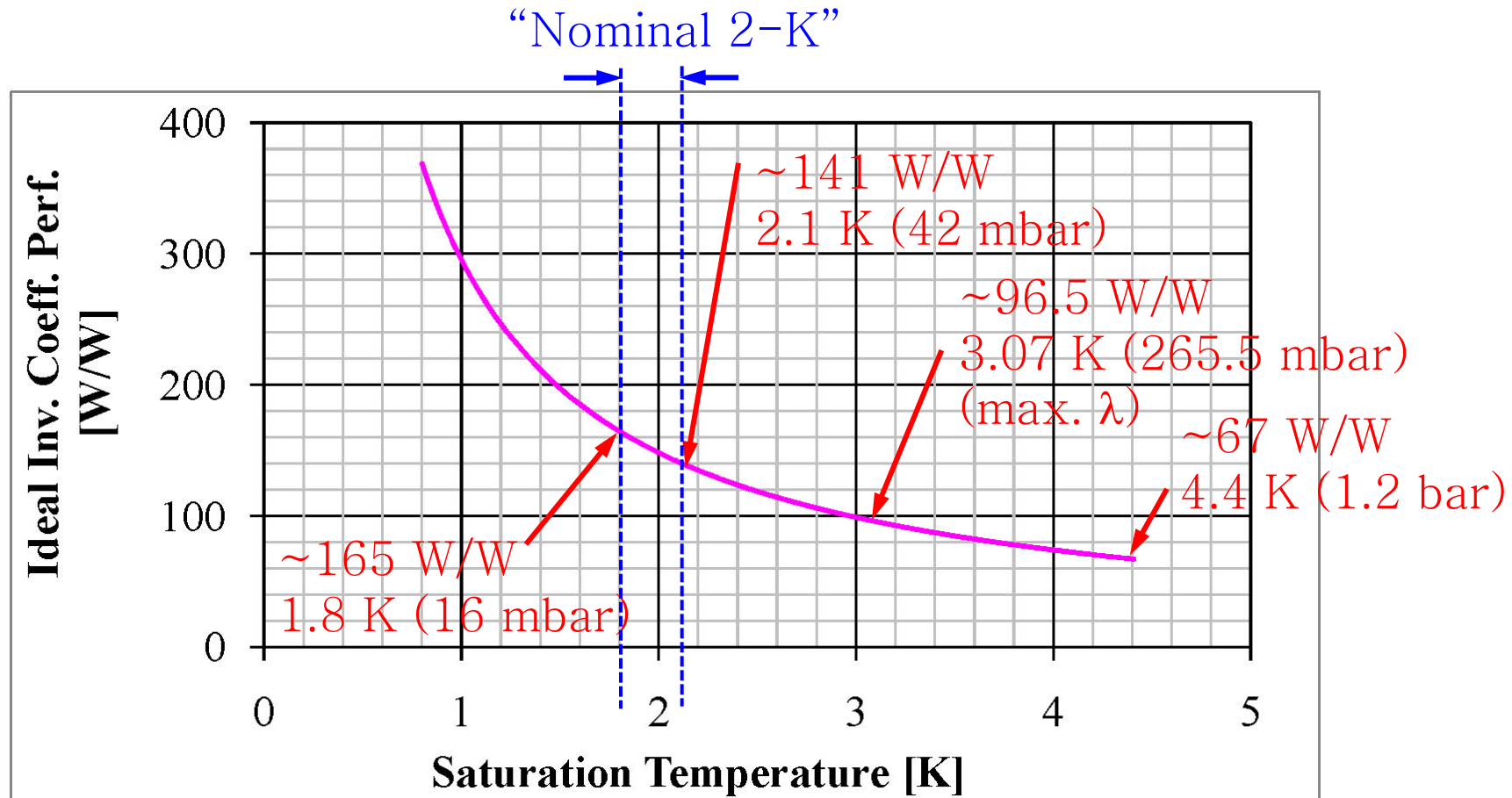


# 2-K Refrigeration Process

- Refrigeration below 4.5-K typically involves sub-atmospheric helium at some point in the process
  - Typically,  $COP_{inv,2-K} \approx (0.67) \cdot COP_{inv,4.5-K}$
  - i.e., 1 watt (of refrigeration) at 2-K = 3 watts at 4.5K
- 2-K refrigeration processes typically,
  - Use a 4.5-K refrigerator
  - Do not produce additional refrigeration (i.e., involve expansion work) below 4.5-K
- Since processes used for large accelerators operate at 1.8 to 2.1 K (i.e., 16 to 42 mbar), will refer to these as **nominal 2-K systems**



# 2-K Refrigeration Process



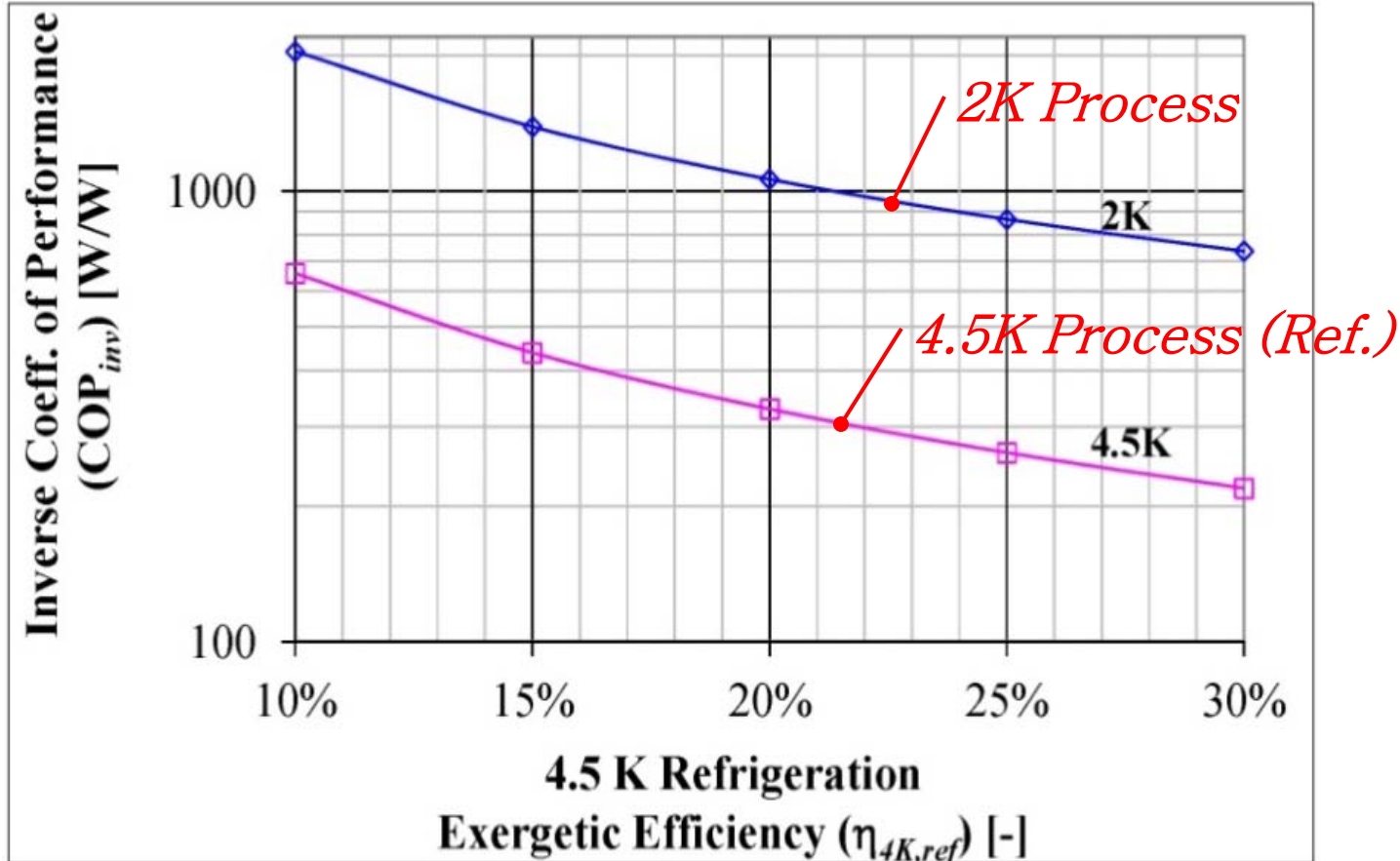
*Ideal inverse coefficient of performance for isothermal refrigeration below 4.5-K*

# 2-K Refrigeration Process

- Lowering the load temperature is expensive, as well as, increases the equipment sizes!
  - Compared to a 4.4 K (1.2 atm) load (which is at positive pressure), the factor increase in ideal input power for the same load,  $(\text{COP}_{inv,i})_{ratio}$ , and vapor density ratio,  $\rho_{ratio}$  (as compared to 1.2 atm), is

	T [K]	p [mbar]	$(\text{COP}_{inv,i})_{ratio}$	$\rho_{ratio}$
Reference	4.4	1200	1.0	1.0
	3.07	266	1.4	4.1
	2.1	42	2.1	20
	1.8	16	2.5	45

# 2-K Refrigeration Process



*Note:  $COP_{inv,2-K} \approx (0.67) \cdot COP_{inv,4.5-K}$*

Real Inverse Coefficient of Performance vs.  
4.5 K Refrigerator Exergetic Efficiency

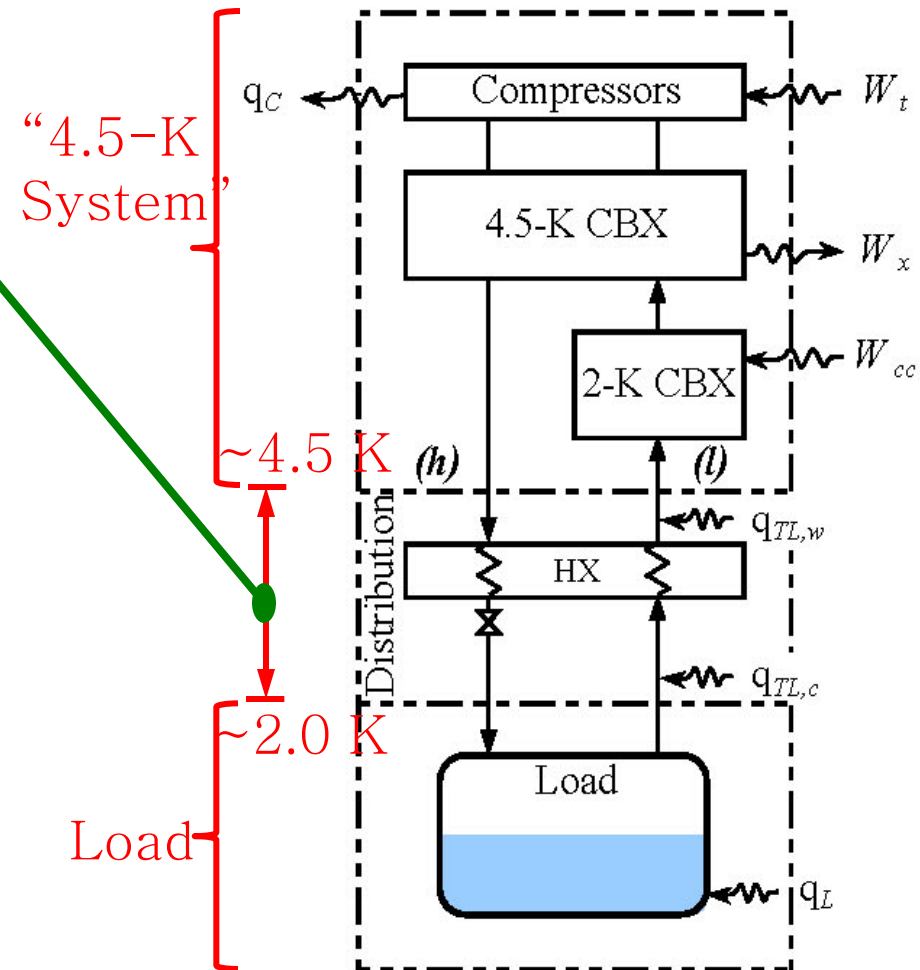
# 2-K Refrigeration Process

## Basic 2-K Helium Process

- Since there is typically no work extraction between the 4.5-K refrigerator and 2-K load...
- Question: can the 2-K load capacity be increased by any process changes in between these temperature levels?

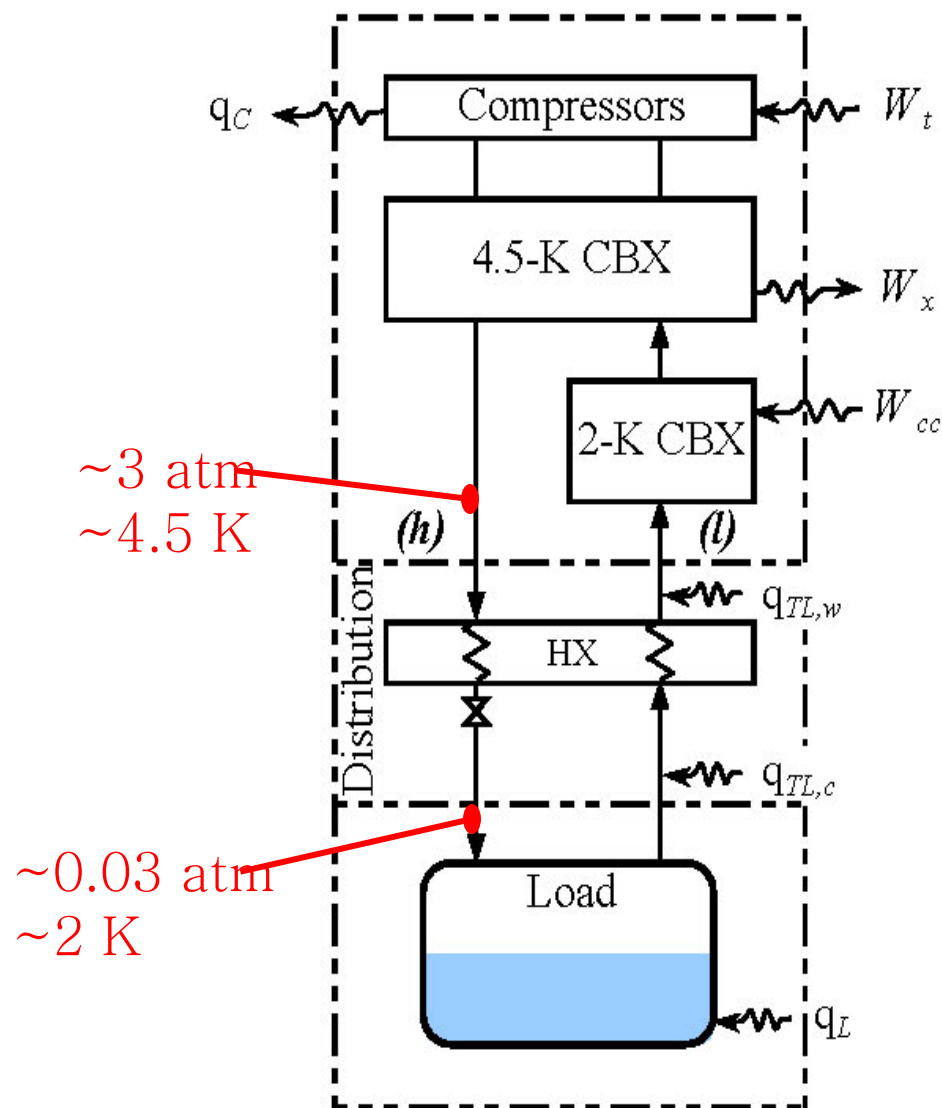
### Nomenclature:

4.5-K CBX	4.5-K Cold box
2-K CBX	2-K Cold box
HX	Nominal 4.5 to 2 K heat exchanger
$q_c$	Compressor heat removed
$W_t$	Compressor input power
$W_x$	Expander output power
$W_{cc}$	Cold compressor input power
$q_{TL,w}$	Warm-end distribution heat in-leak
$q_{TL,c}$	Cold-end distribution heat in-leak
$q_L$	Load heat input



# 2-K Process Improvements

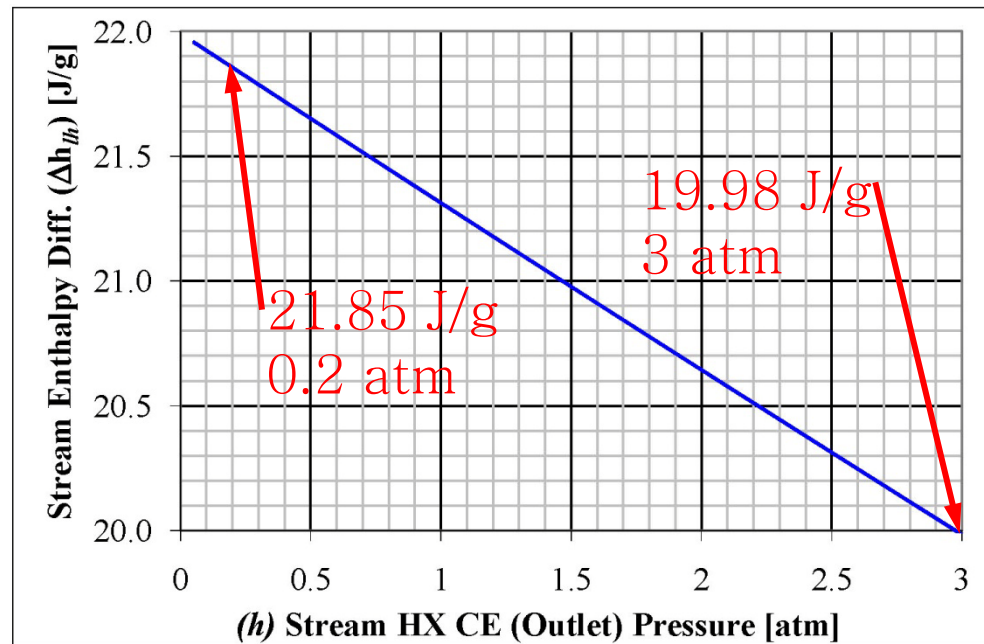
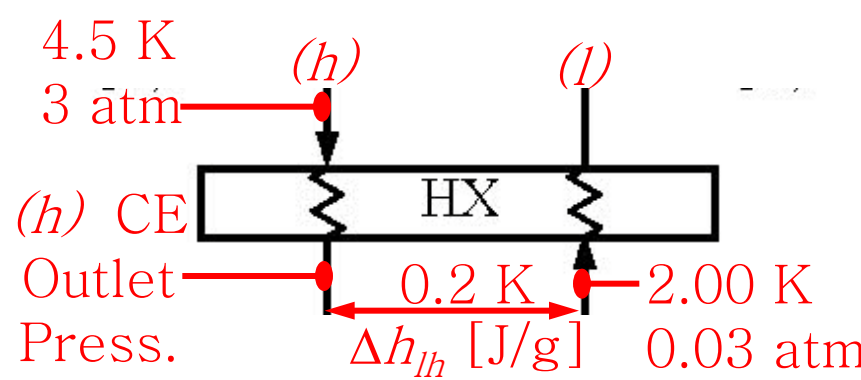
- For thermo-hydraulic reasons, the supply pressure to the load is usually
  - ~3 atm (super-critical) for large systems and,
  - ~1.2 atm (saturated liquid) for small systems
- But the load is sub-atmospheric (what about the availability lost between these pressures...that is, *throttling from the supply pressure to 0.03 atm ?*)...



# 2-K Process Improvements

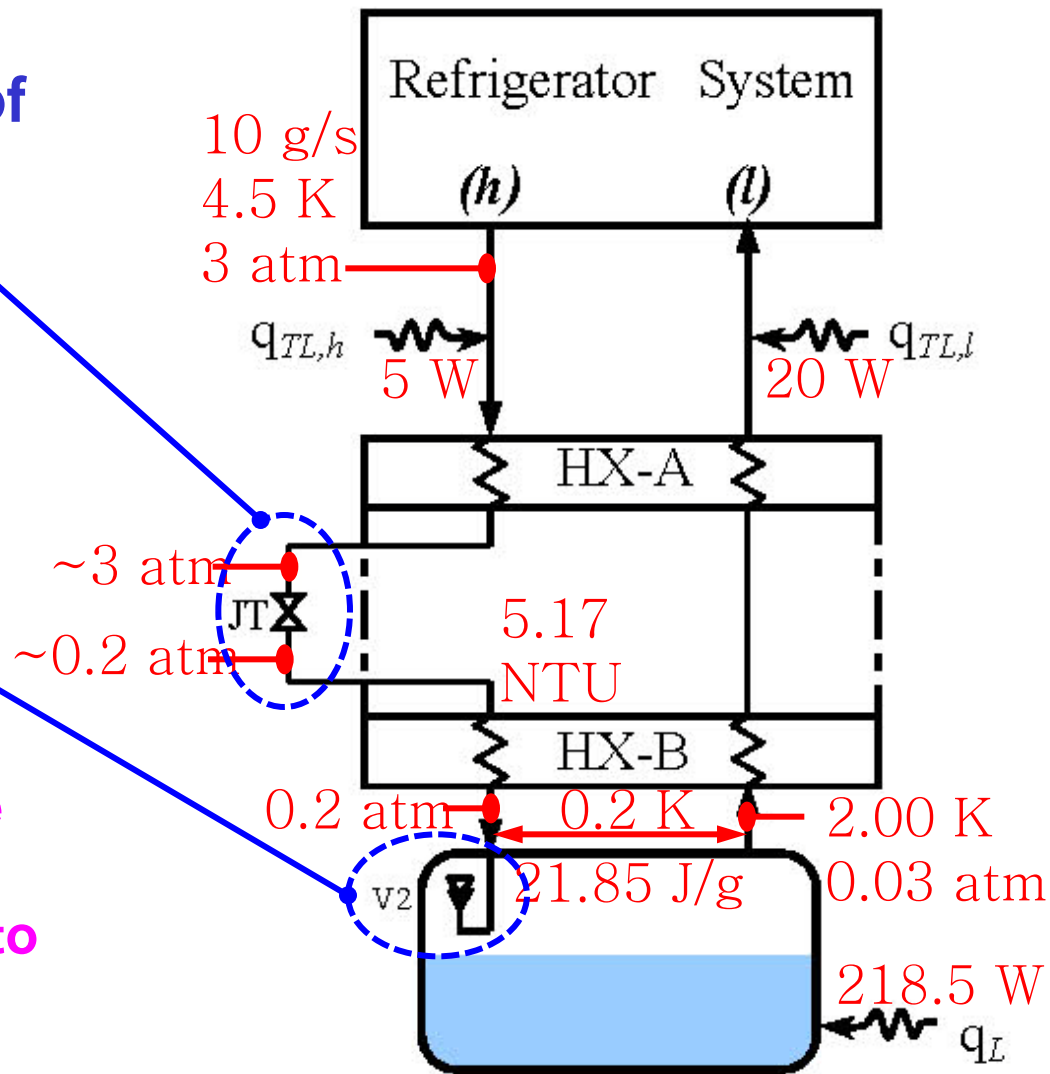
- This suggests a constructive use of the (*h*) stream pressure drop through the HX, rather than across the JT valve
- Figure shows the enthalpy flux at the HX cold (load) end temperature difference of 0.2 K
- Note: use 0.2 K to provide sufficient stream temperature difference for heat transfer and to avoid super-fluid in HX

Continuous  $\Delta p$  across (*h*) stream



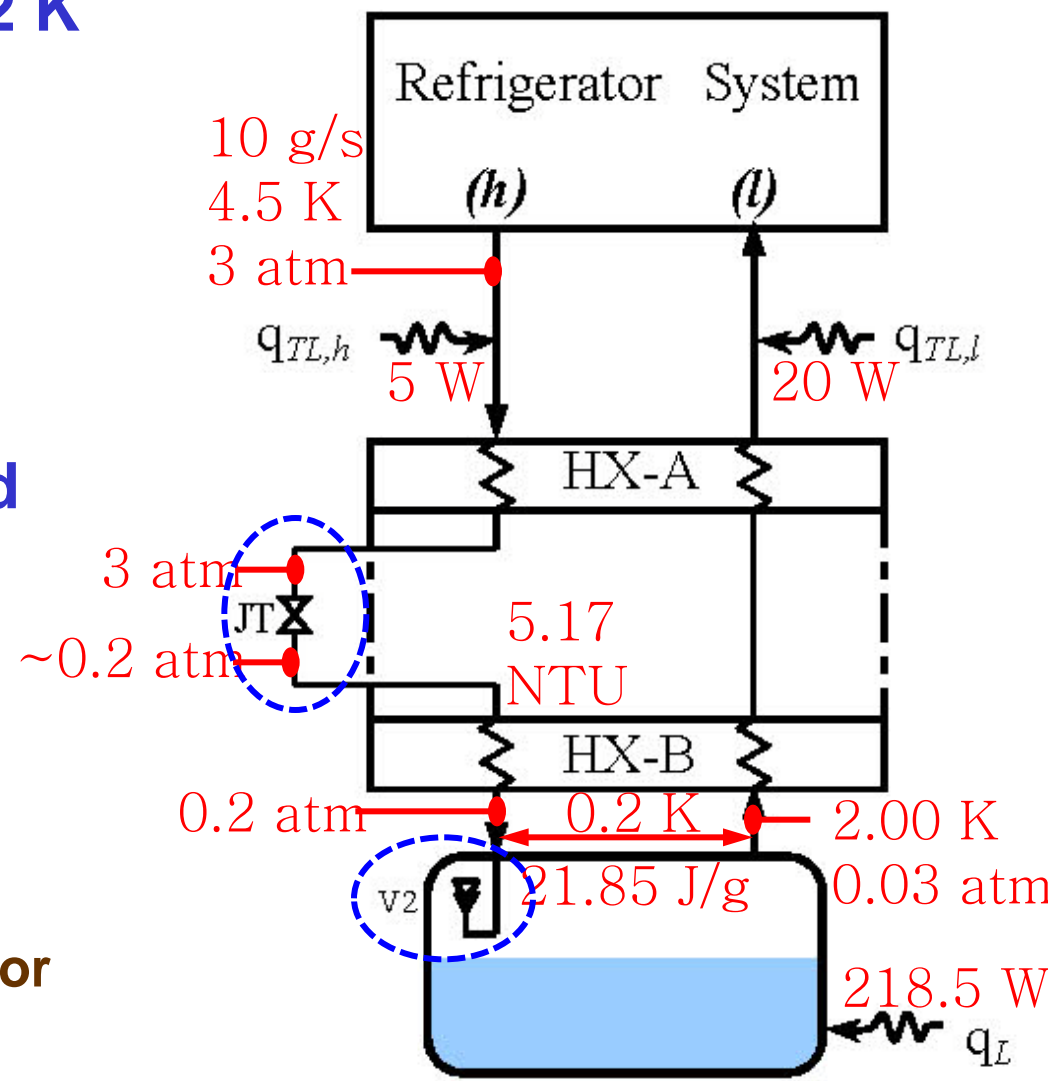
# 2-K Process Improvements

- Incorporate **JT** valve in between two sections of the HX
- Also, incorporate a passive back-pressure device **V2**
  - This can be a very simple device using a gravity weight
- **Note:** Incorporation of these does NOT diminish the performance (as compared to the continuous pressure drop through the HX)



# 2-K Process Improvements

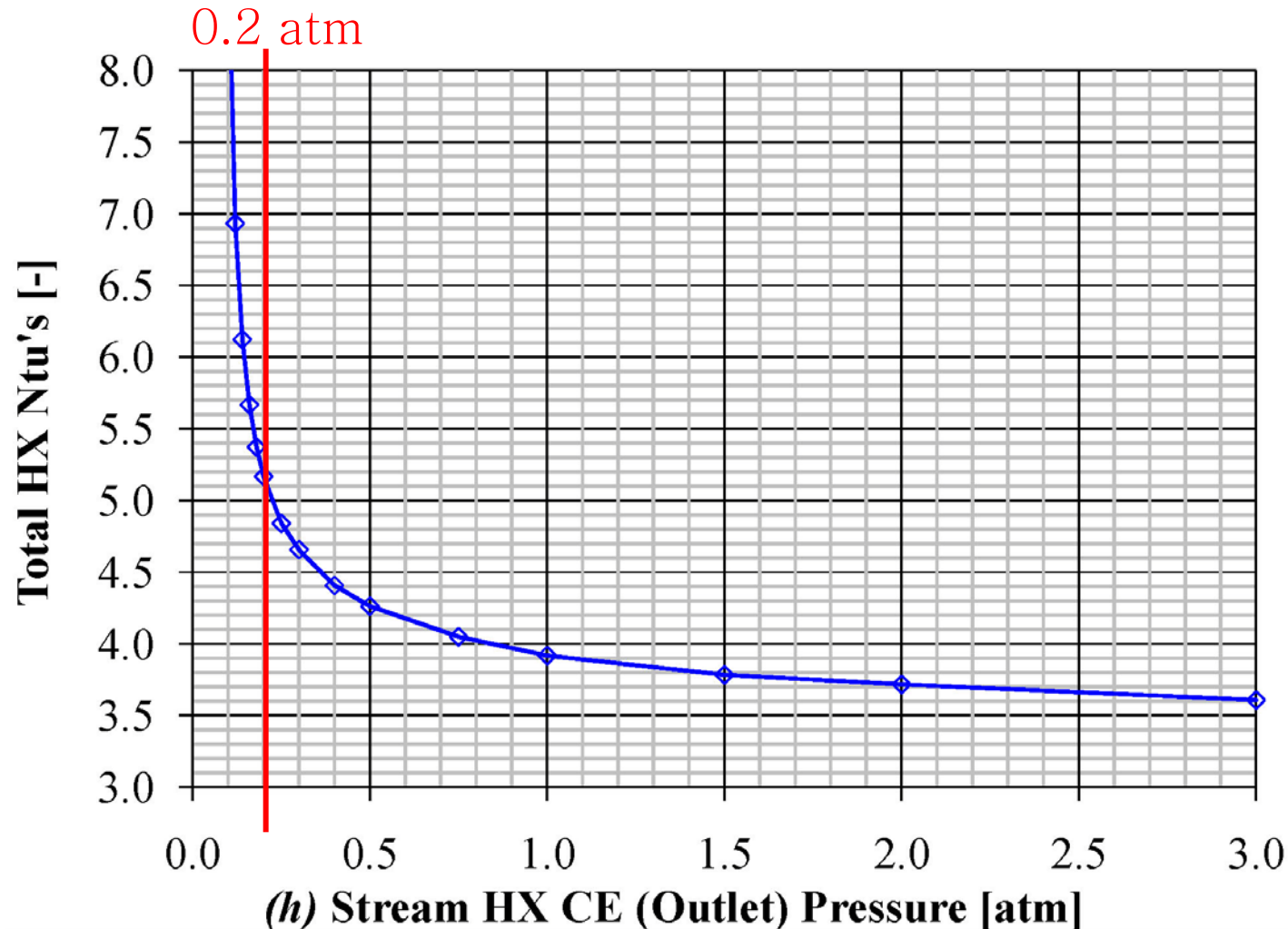
- Saturation pressure at 2.2 K is 0.0514 atm
  - So, why not 0.0514 atm, instead of 0.2 atm...?
- Because the required HX size (which is quantified using NTU's or UA) would be too large
  - NTU or (UA)  $\rightarrow \infty$ , as the pressure  $\rightarrow 0.0514$  atm
- Note:
  - NTU ~ HX length
  - (UA) ~ HX flow cross-section or total volume





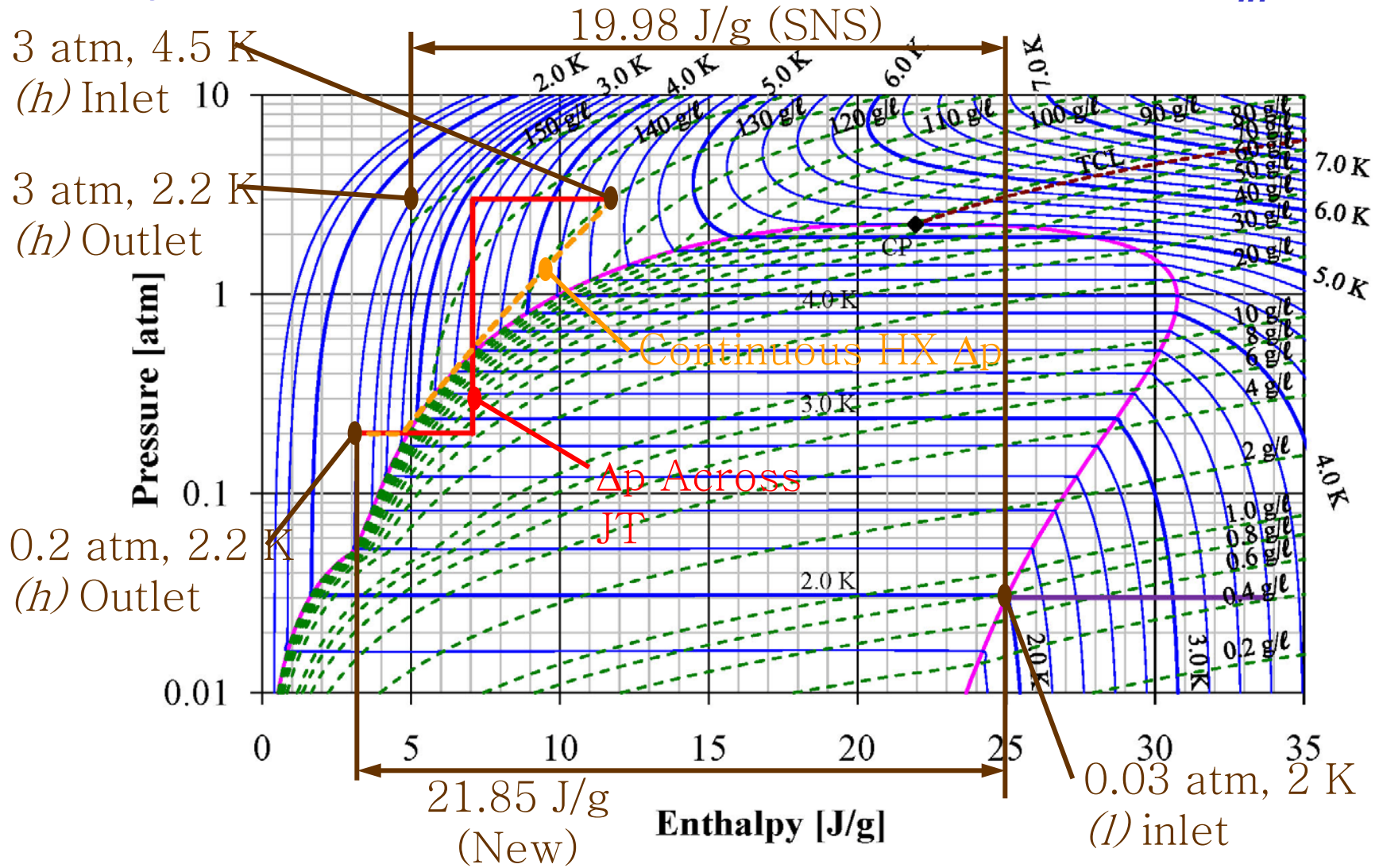
# 2-K Process Improvements

- HX total NTU's vs. (*h*) stream HX CE (outlet) pressure



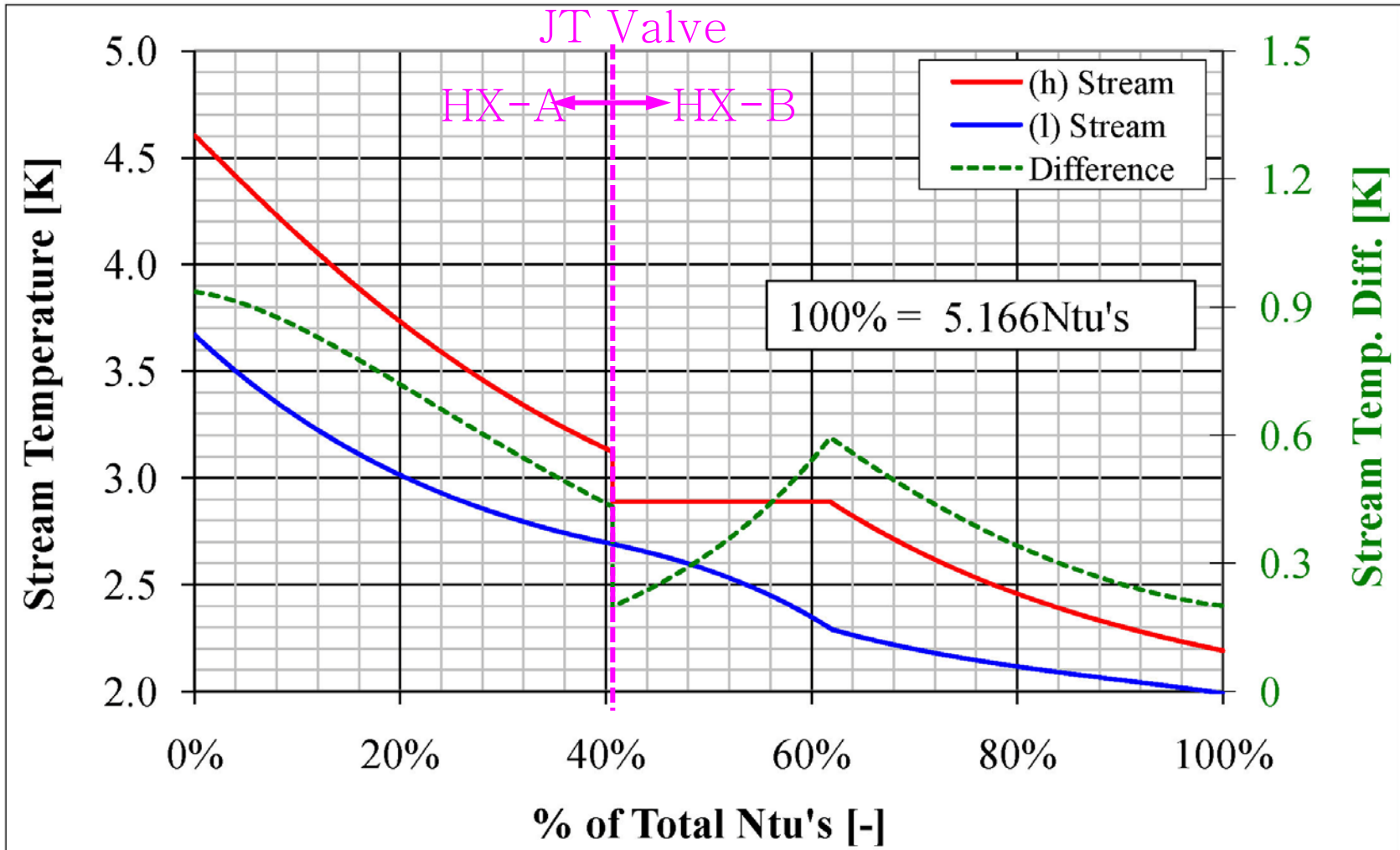
# 2-K Process Improvements

- Why does a  $\Delta p$  in the (h) stream increase the  $\Delta h_{lh}$  ?



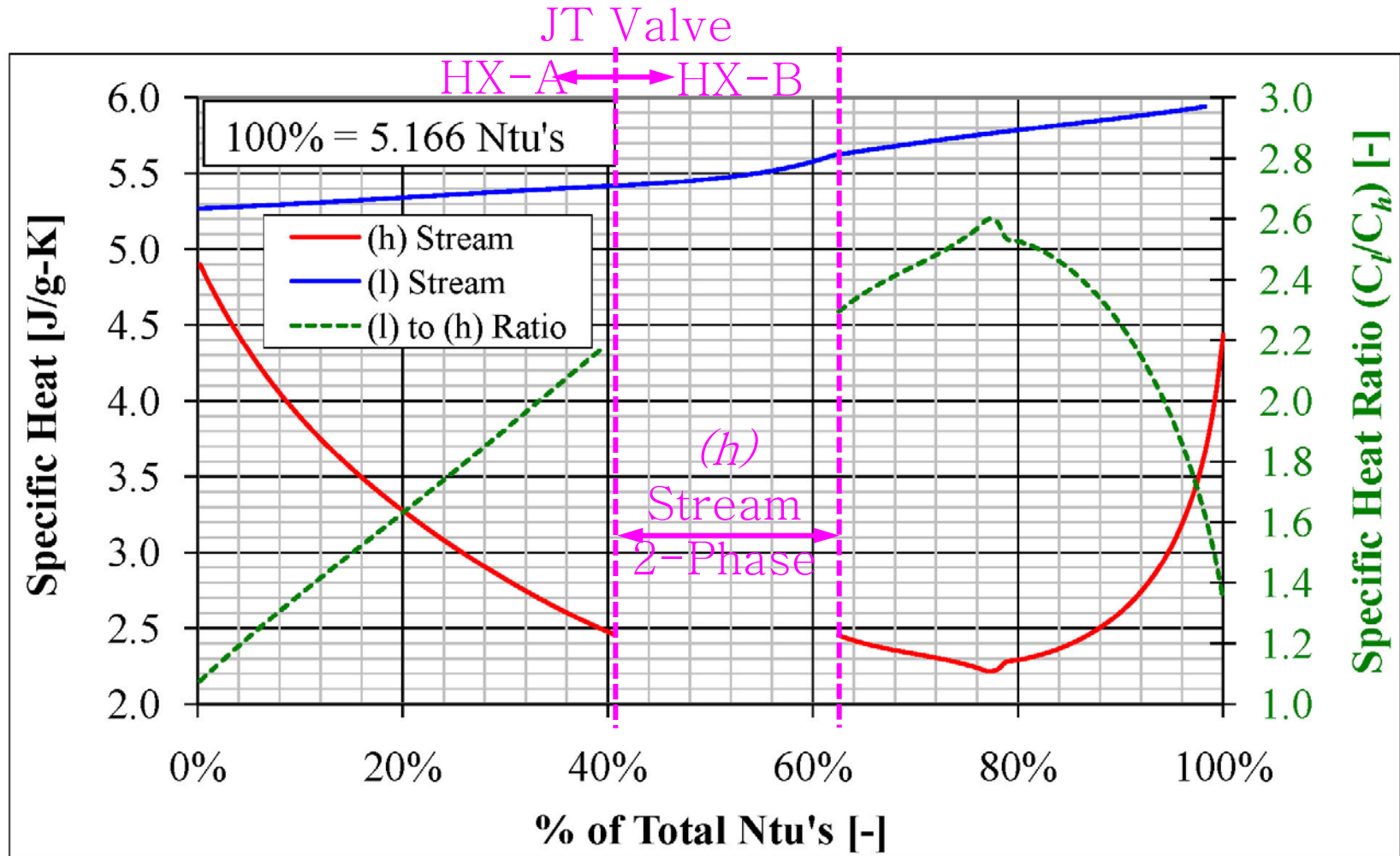
# 2-K Process Improvements

- Cooling curve for HX (i.e., HX-A and HX-B)



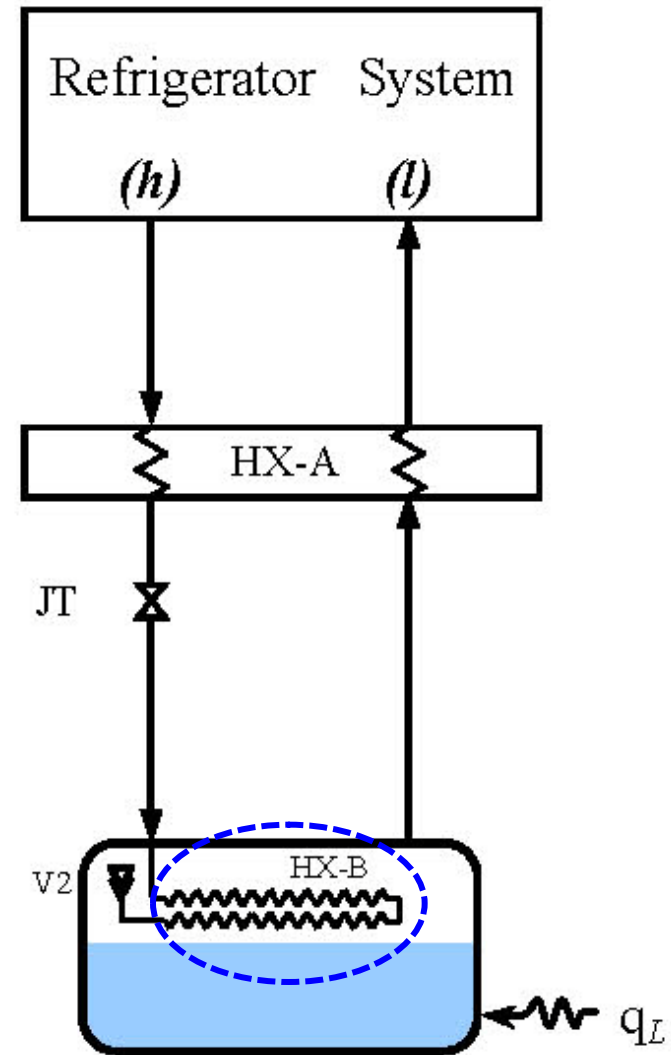
# 2-K Process Improvements

- Average  $C_{p,h}$ ,  $C_{p,l}$  and  $(C_{p,l}/C_{p,h})$



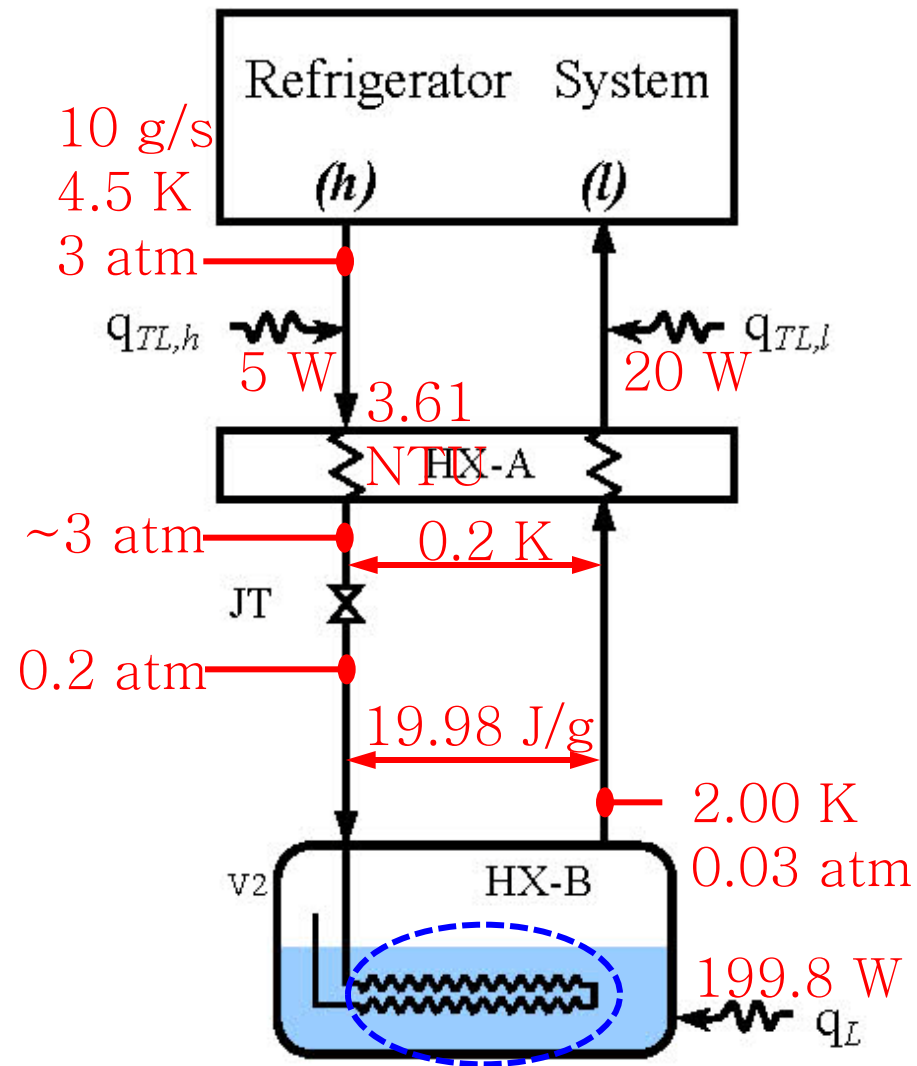
# 2-K Process Improvements

- A slight variation that may prove to be more practical in some configurations
  - Move HX-B (lower HX section) into load, where the **vapor** cools the (*h*) stream
  - Note: Since this is “cross-flow” heat exchange (as opposed to “counter-flow”) we are taking advantage of the difference in the specific heat between the (*h*) stream and the (*l*) vapor



# 2-K Process Improvements

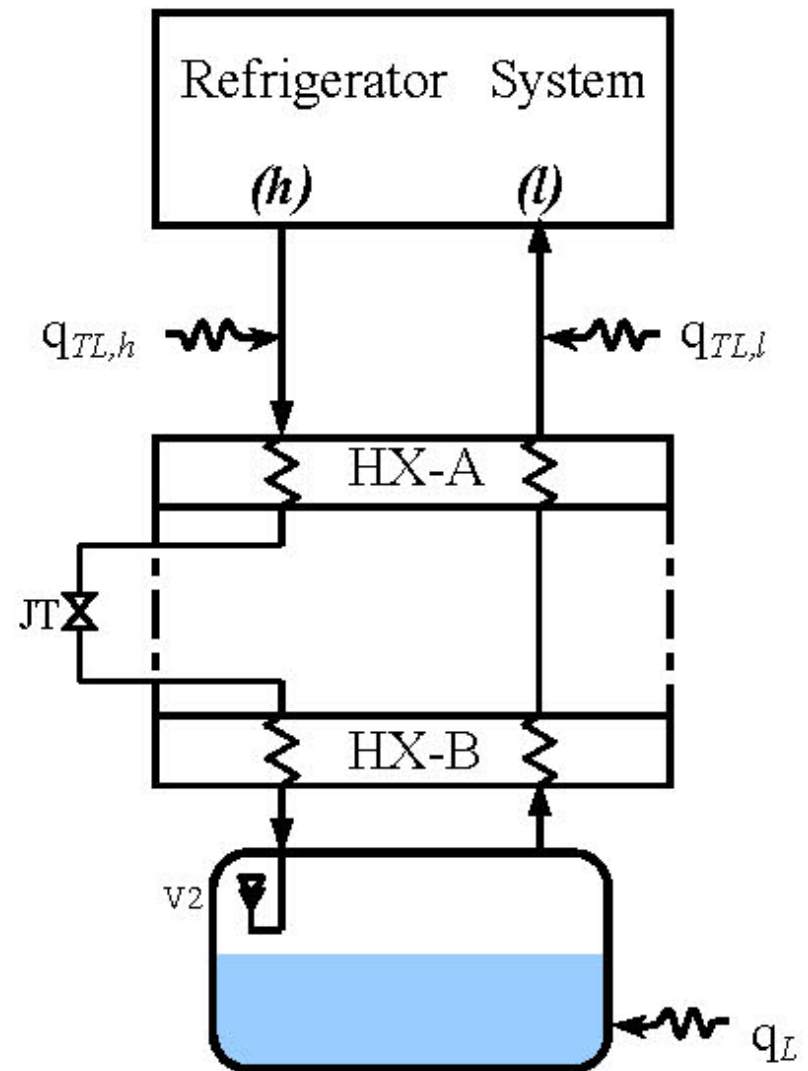
- It is important to note that if HX-B is immersed into (2-K) **liquid bath**, that this configuration becomes the same as the 'SNS Design'
  - HX-B duty goes into the liquid, so it is now part of the load!



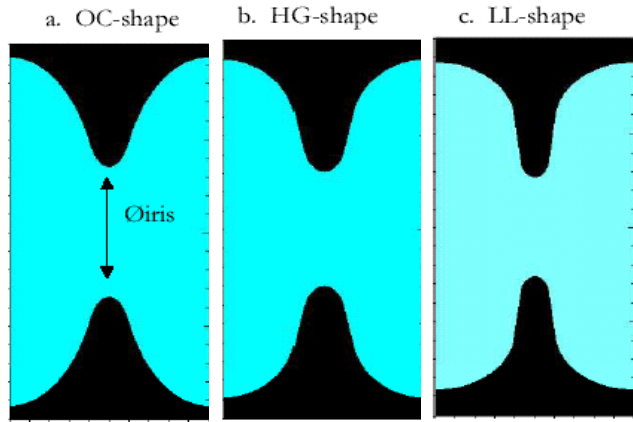
# 2-K Process Improvements

Present development work

**A prototype HX  
of ~5 g/s  
is under construction  
at JLab  
for MSU FRIB**

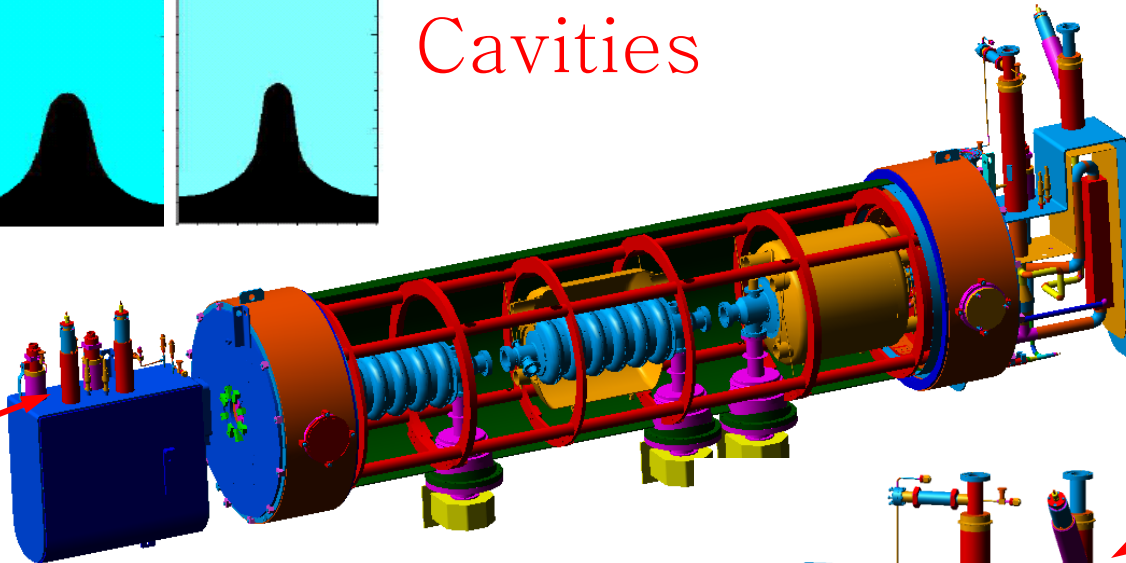


# Cryomodule Design



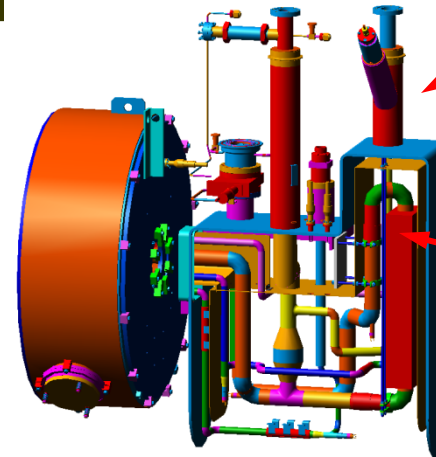
RF  
Cavities

Bayonet  
Connections,  
Valves  
etc.



Cryo  
Module

End  
Can



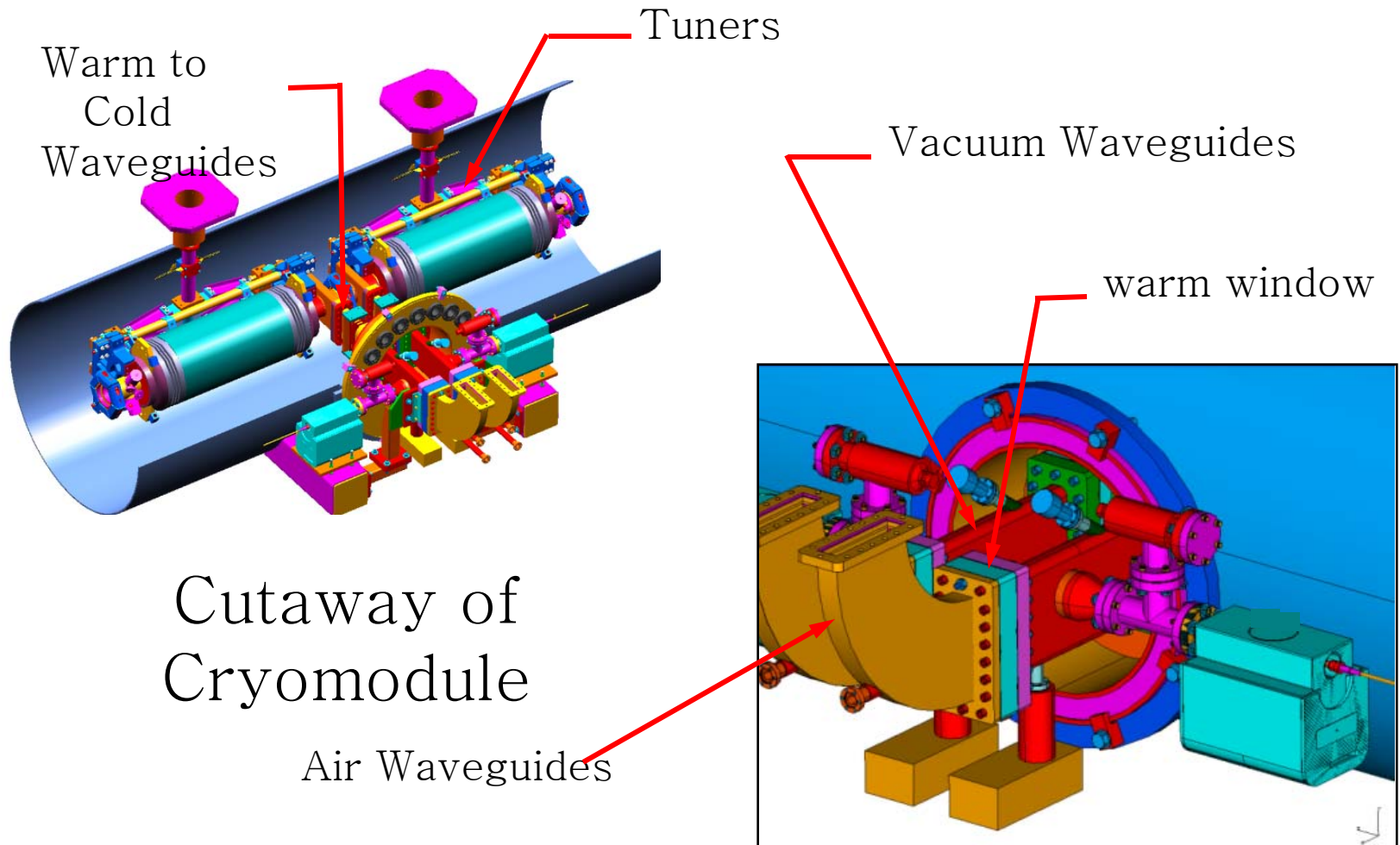
Bayonet  
Connections,  
Valves etc

4-2K HX

[10 x 15 x 65  
cm]



# Cryomodule Design



# Cryomodule Production



Closed Chemistry Cabinet



Electropolish Cabinet



Hi Pressure Rinse Cabinet



Class 100 & 10 Clean Rooms

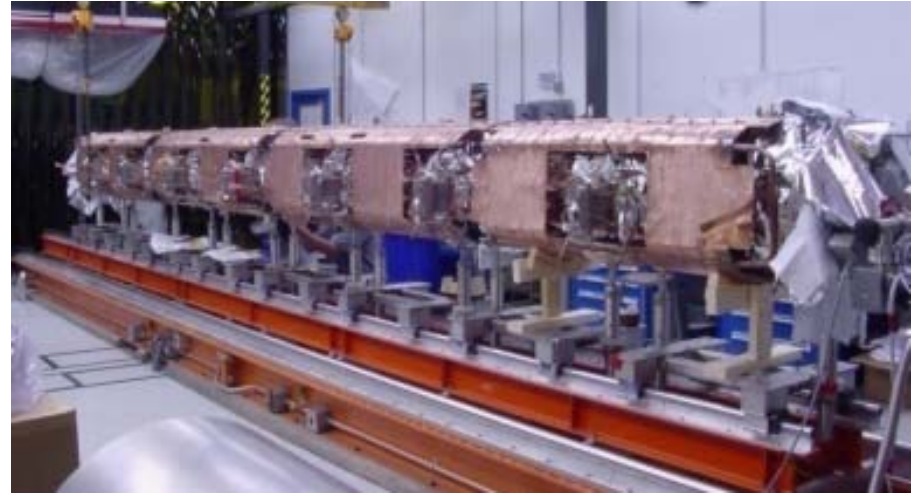
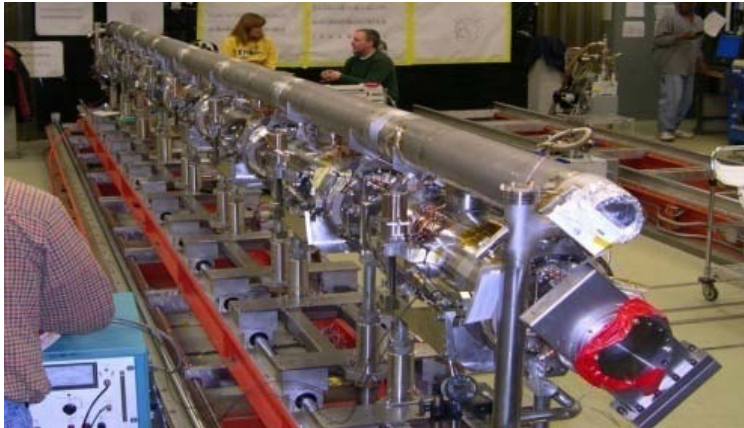
2600 ft<sup>2</sup> Clean Room



Ultra-Pure Water Supply  
2000 G/day with 1500 G  
Tank

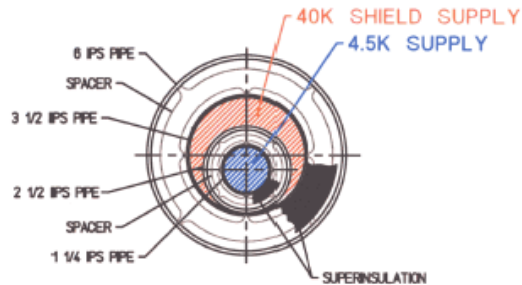


# Cryomodule Production

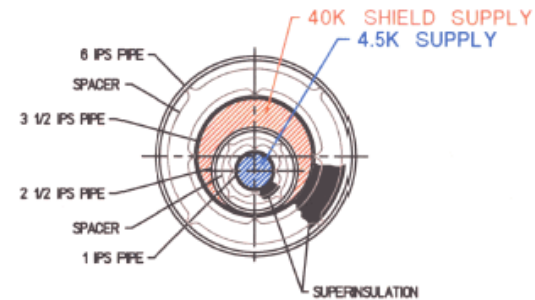


# JLab Helium Distribution System

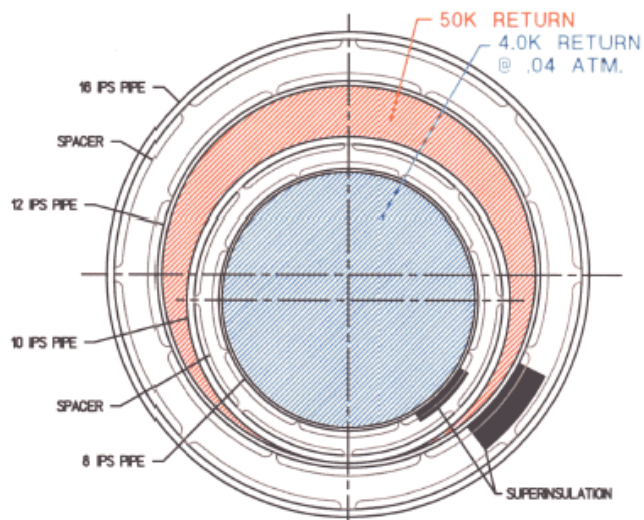
## *JLab Transfer-Line Cross-Sections*



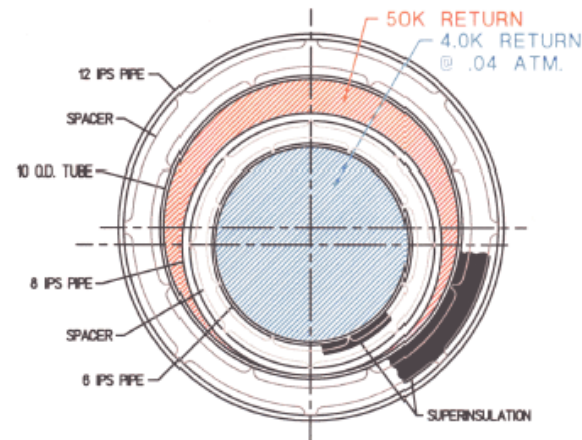
CHL SUPPLY TRANSFER LINE



LINAC SUPPLY TRANSFER LINE

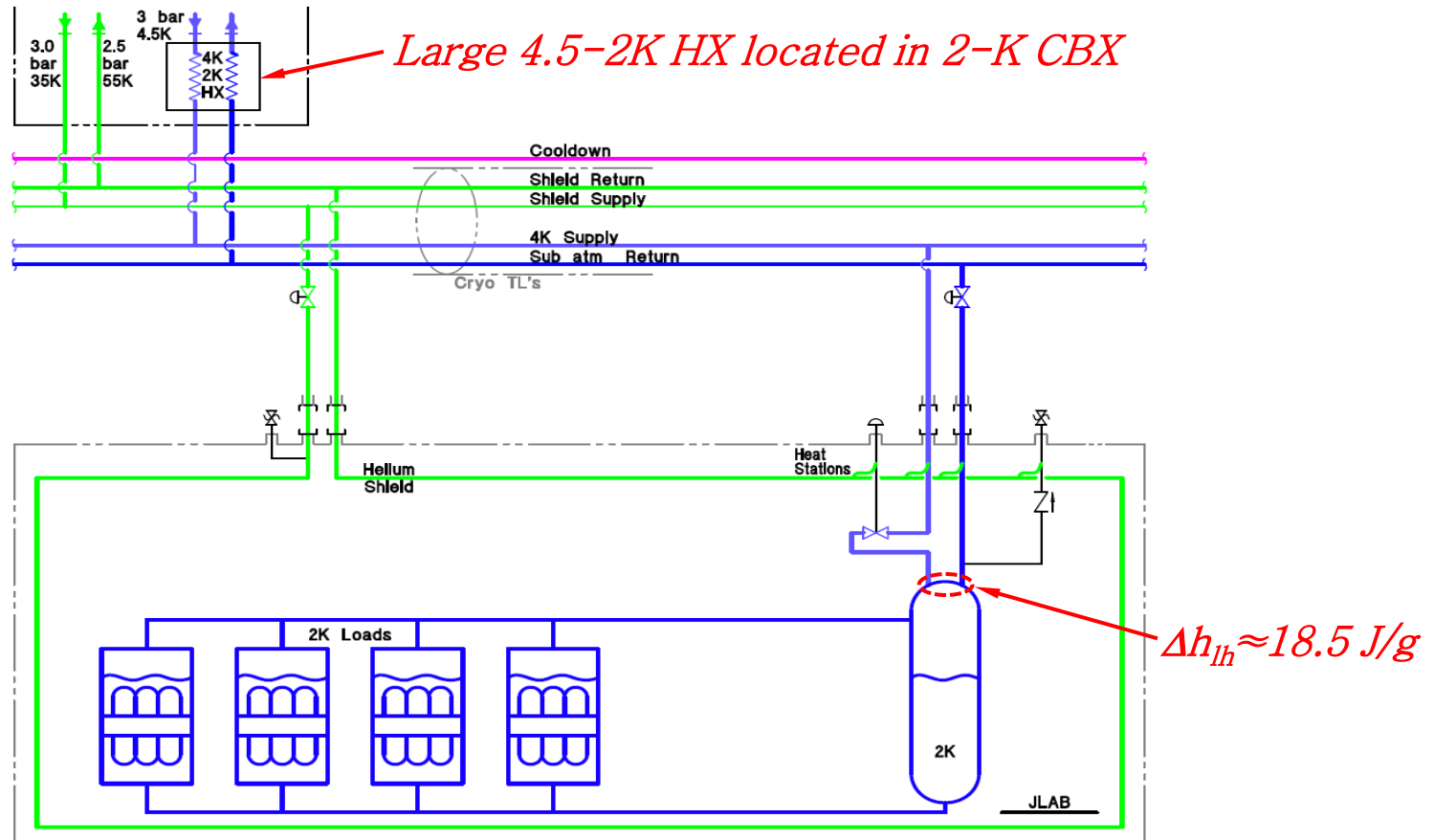


CHL RETURN TRANSFER LINE



LINAC RETURN TRANSFER LINE

# JLab Helium Distribution System



CEBAF distribution system heat in leak of  $\sim 12\text{W}$  per CM  
+ CM Static heat in leak of  $\sim 18\text{W}$  per CM is adsorbed  
at 2-K

# JLab Helium Distribution System



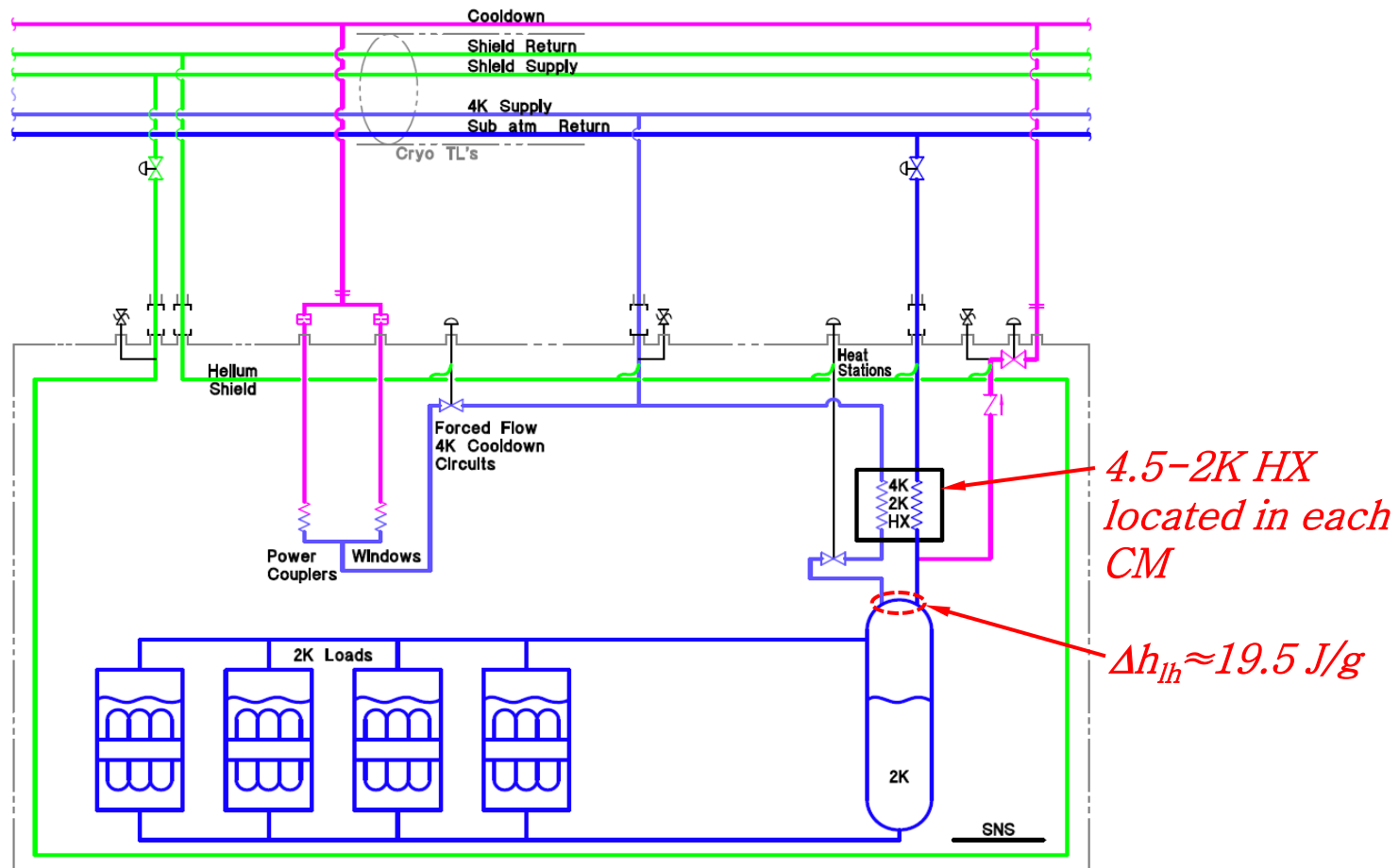
Transfer lines at CEBAF connecting the cryomodules to the refrigerator

# JLab Helium Distribution System



CEBAF Linac

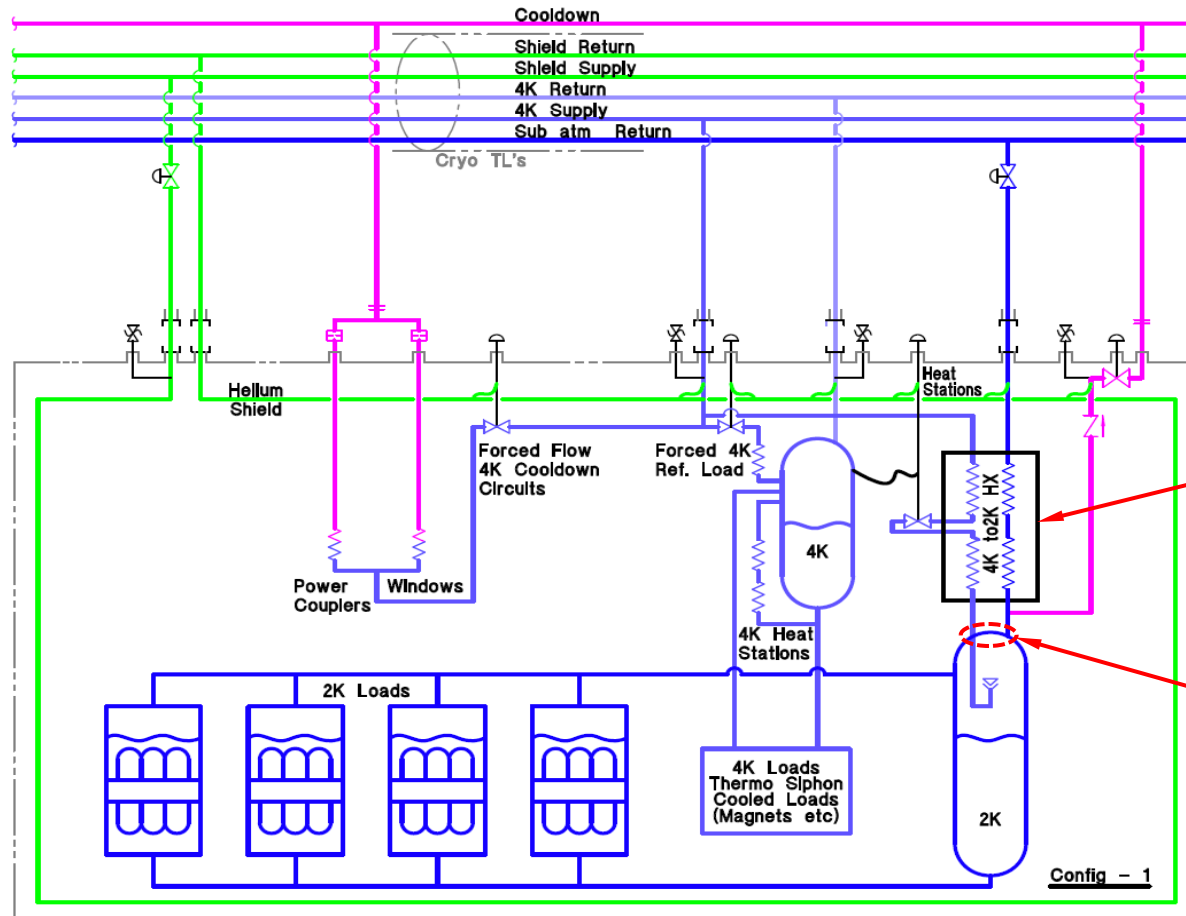
# SNS Helium Distribution System



SNS distribution system heat in leak  $\sim 10\text{W}$  per CM is adsorbed at  $\sim 4\text{-K}$  (which is equivalent to  $\sim 3\text{W}$  at  $2\text{-K}$ )



# Generalized Distribution System



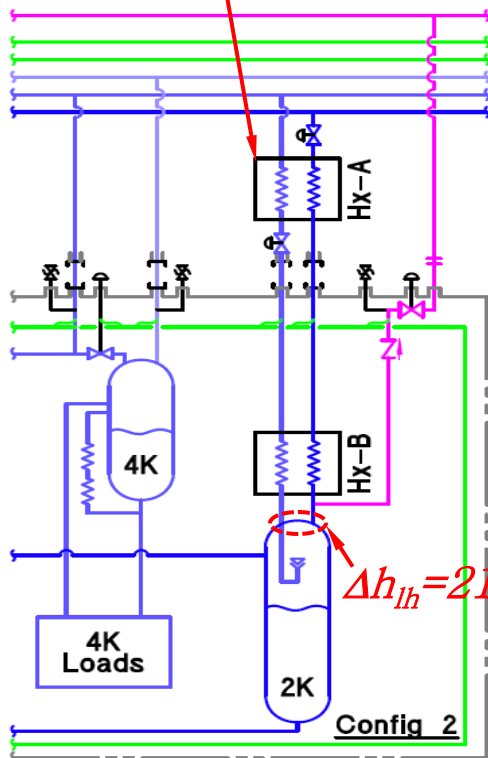
*New 4.5-2K HX located in CM*

*$\Delta h_{lh} = 21.85 J/g$*

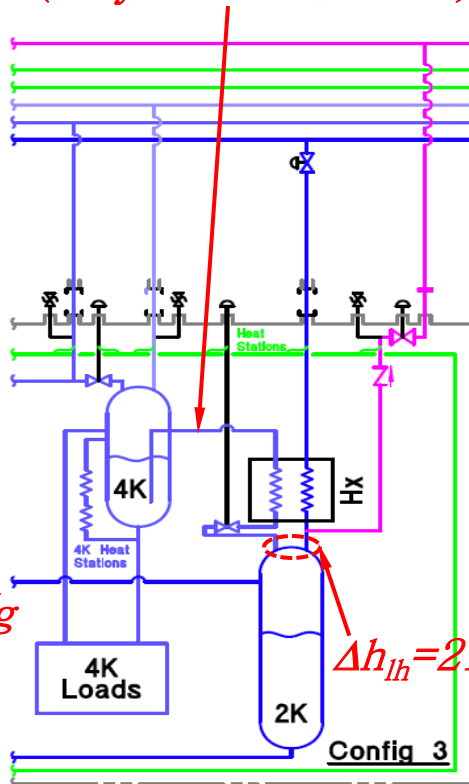
*2-K capacity can improve ~9.3%  
(for the same mass flow rate) as compared to  
SNS*

## Options

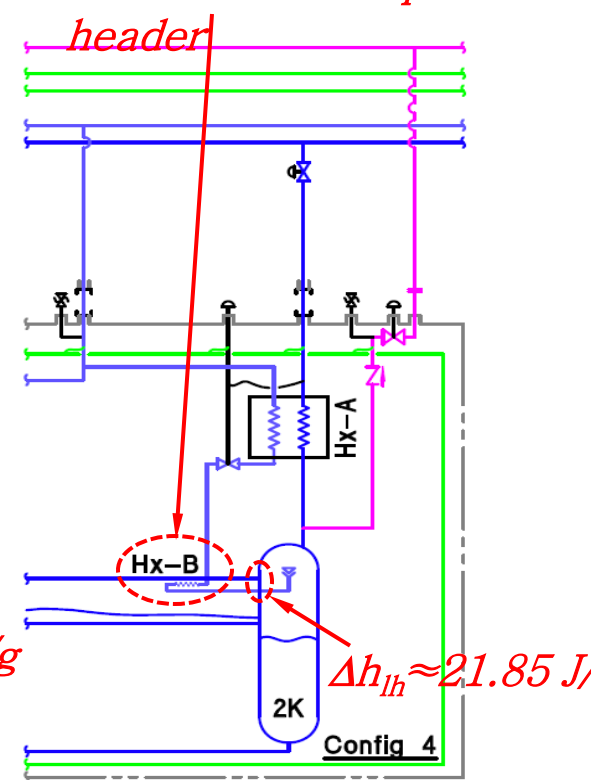
Upper HX section  
located externally to  
CM



$\sim 1.2 \text{ atm sat. liq. supply}$   
(only one HX section)

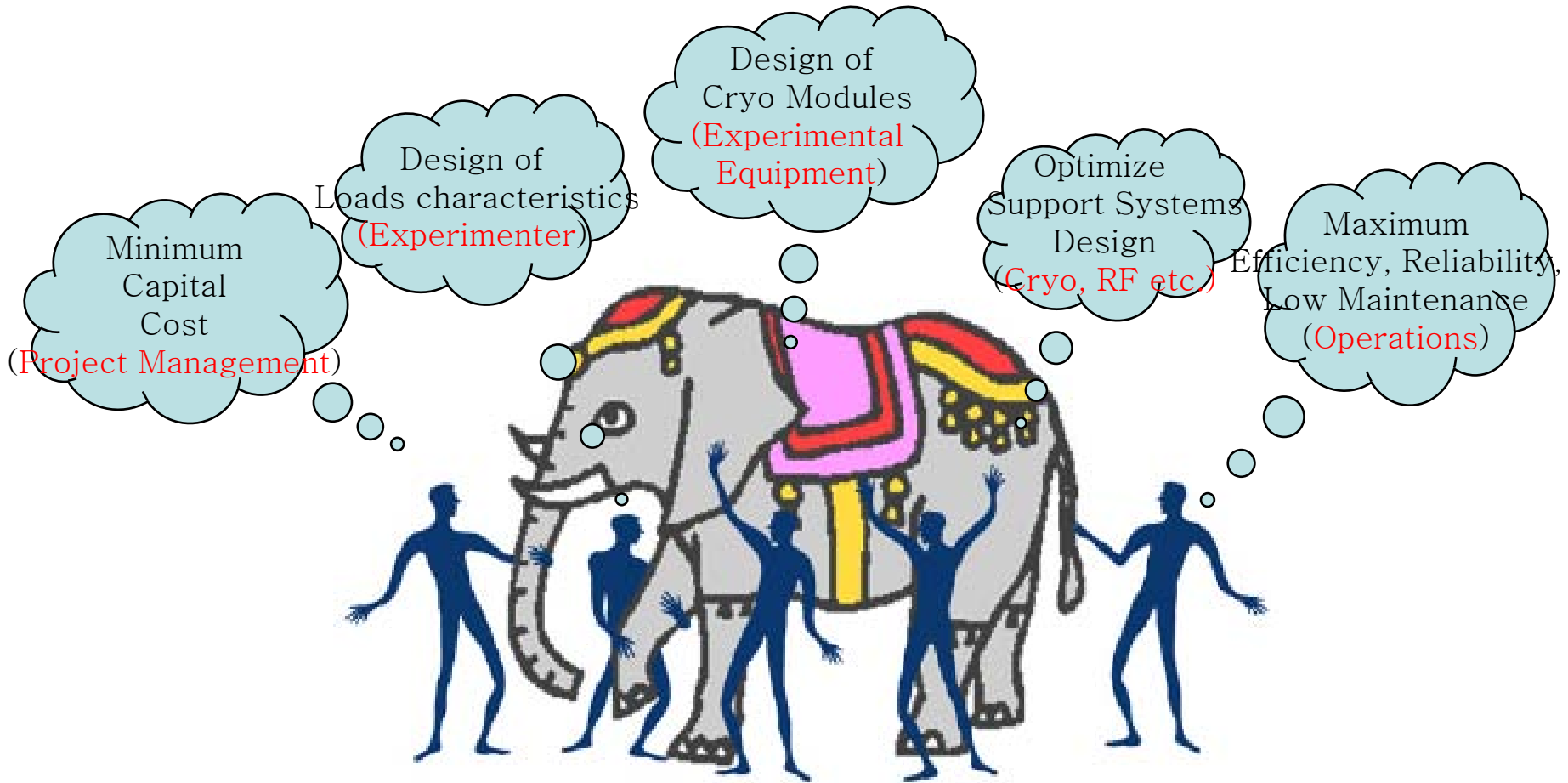


Lower HX section  
located in CM vapor  
header



Config-3: Enthalpy difference supplied to 2-K is  
 $\sim 6\%$  greater as compared to SNS

# Conclusions



What is an “Optimal” System?

# Conclusions

- Required load characteristics determine the cryomodule design and cryogenic system requirements
- Users need a recognition of the complexity and expensiveness of cryogenics as a utility
  - It is the “blood - circulatory” system for super conducting accelerators
- Must collectively optimize the cryomodule – distribution and refrigeration systems
- Support is needed for fundamental technology developments in the cryogenic systems to advance efficiency and reliability
- Energy is a precious commodity and in decreasing supply!
  - Accomplish the same end goal with a minimal carbon foot print

# Questions?



Thank you all for the interest